



**STINT**

The Swedish Foundation for International  
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# Modeling of aerosol processes in the atmosphere

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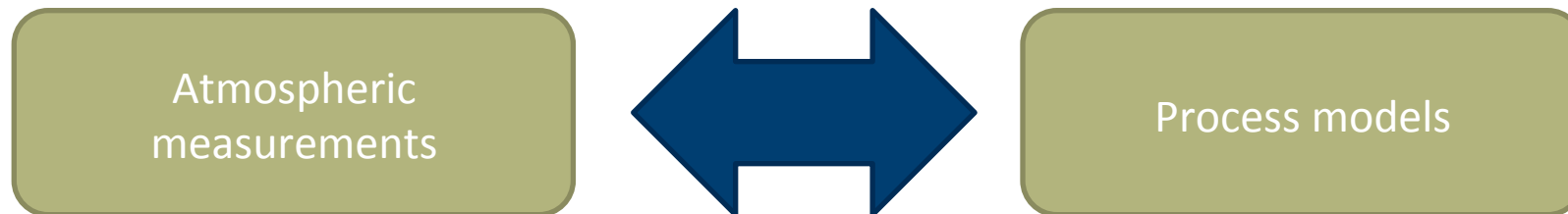
Stockholm University

Sweden



# Scope of lecture

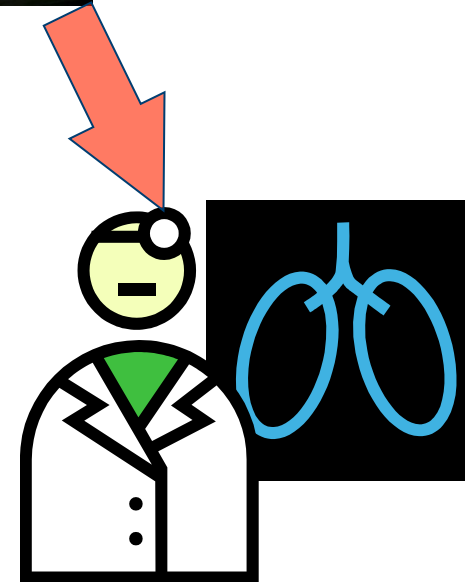
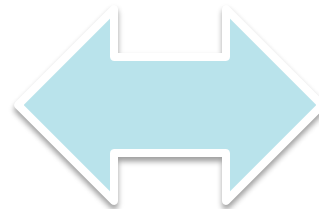
- Provide a fundamental overview of processes affecting aerosols in the atmosphere under cloud-free conditions
- Familiarize with basic functions to be used in exercises
- Apply process understanding to atmospheric data collected during the GoAmazon campaign.



# Why interested in aerosols?



Climate



Health

# Aerosols and health

- Urban outdoor air pollution responsible for **1.3 million deaths annually**
- Indoor air pollution responsible for **~2 million premature deaths** annually (mainly in developing countries)

# Aerosols and climate

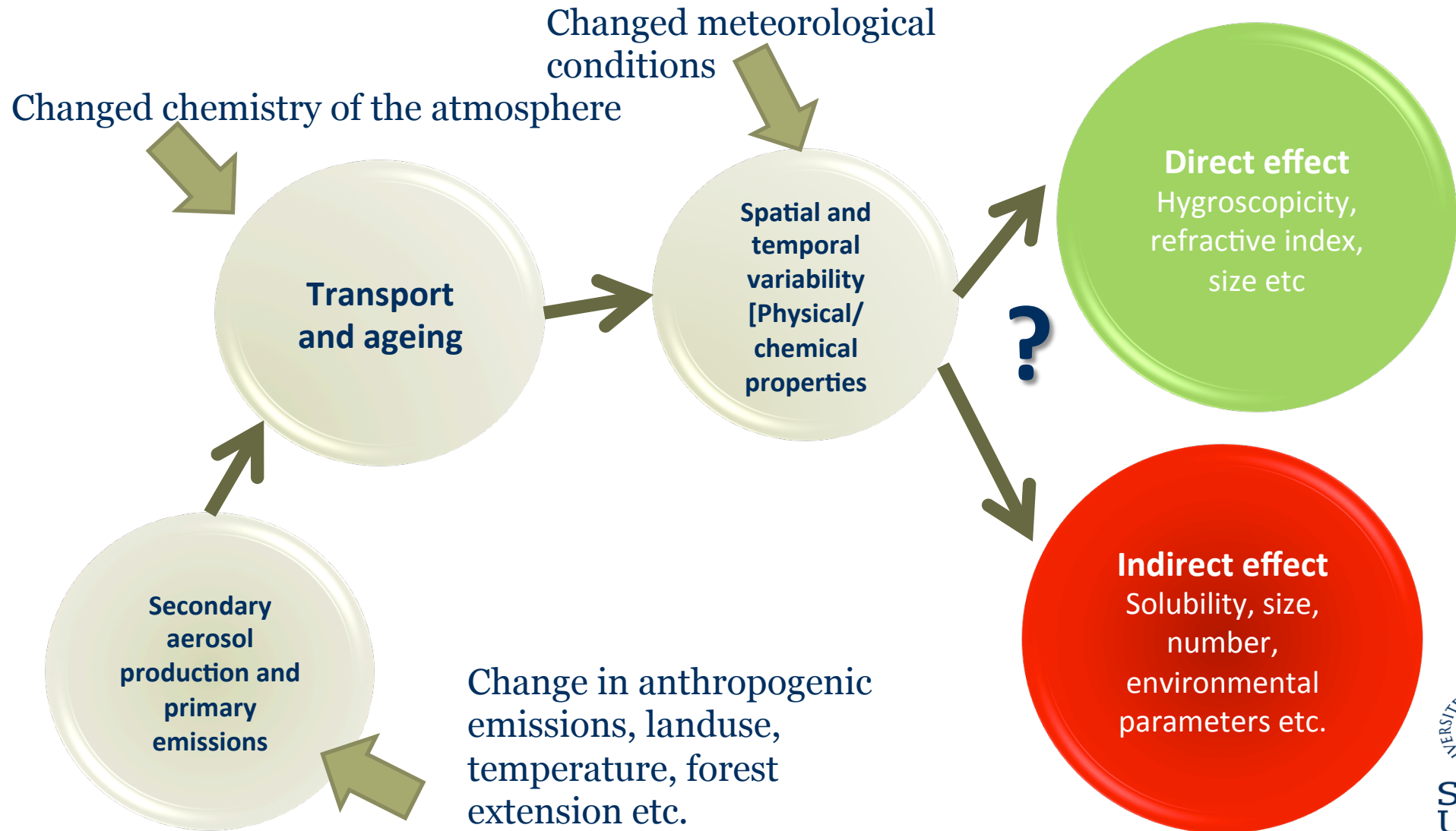
“ The RF of the total aerosol effect in the atmosphere, which includes cloud adjustments due to aerosols, is  $-0.9$  [ $-1.9$  to  $-0.1$ ]  $\text{W m}^{-2}$  (medium confidence), and results from a **negative forcing from most aerosols** and a **positive contribution from black carbon** absorption of solar radiation.

There is high confidence that aerosols and their interactions with clouds have offset a substantial portion of global mean forcing from well-mixed greenhouse gases.

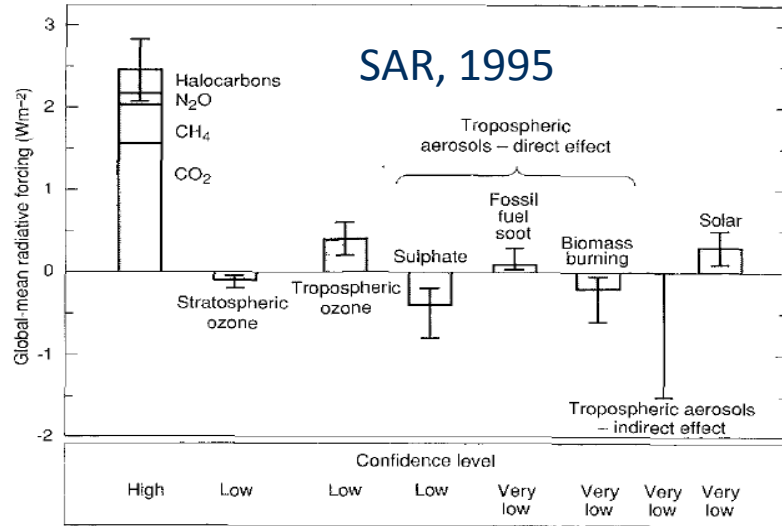
**They continue to contribute the largest uncertainty to the total RF estimate. ”**

Apparently important....

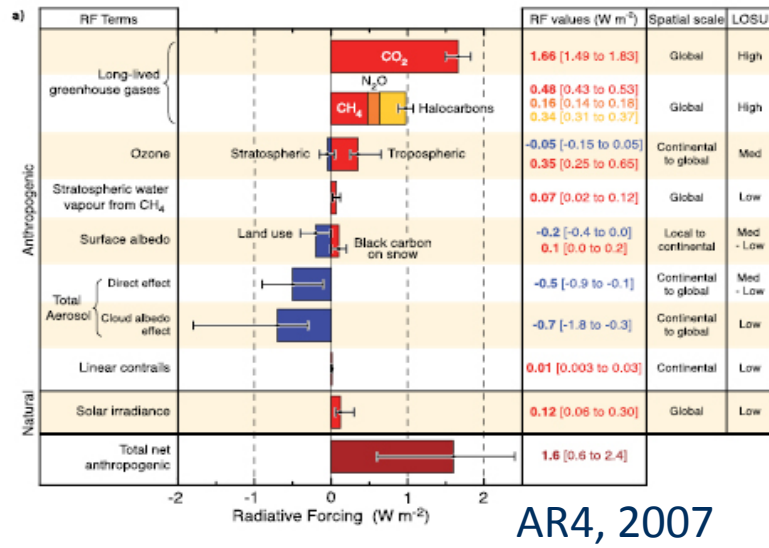
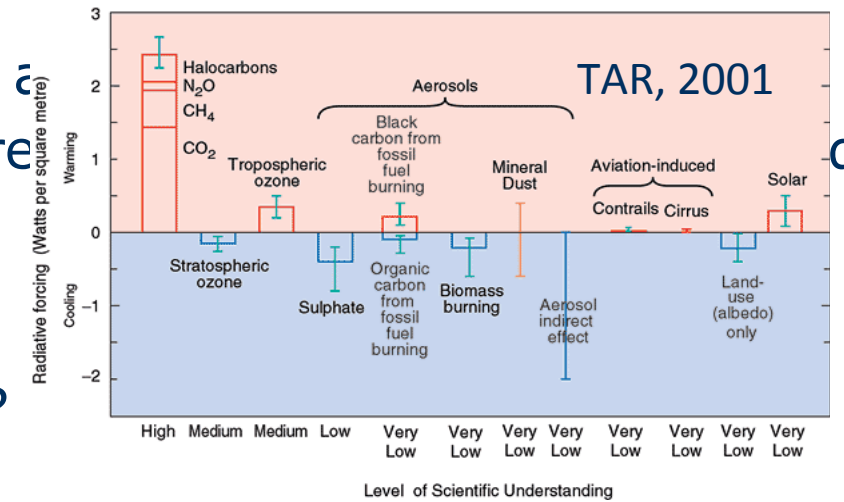
# Aerosols and climate in a changing atmosphere: "need-to-knows"



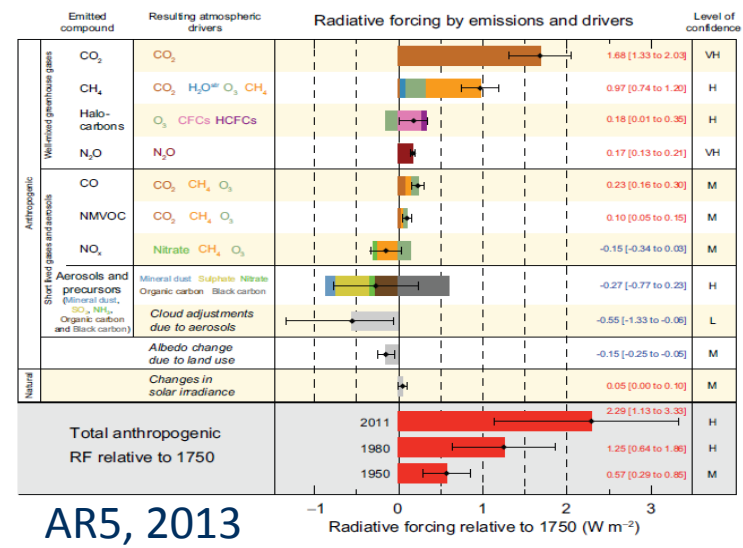
# Constraining the aerosol effects



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a



IPCC 2007: WG1-AR4



# Why so difficult to get the indirect effect right?

- Aerosol-cloud-interactions are inherently difficult to describe – both qualitatively and quantitatively
- Even though progress has been made, further progress is hindered by limited model resolution and observation capabilities (e.g. Rosenfeld et al., 2014)
- This substantially hampers our ability to assess the role of these interaction in the climate system



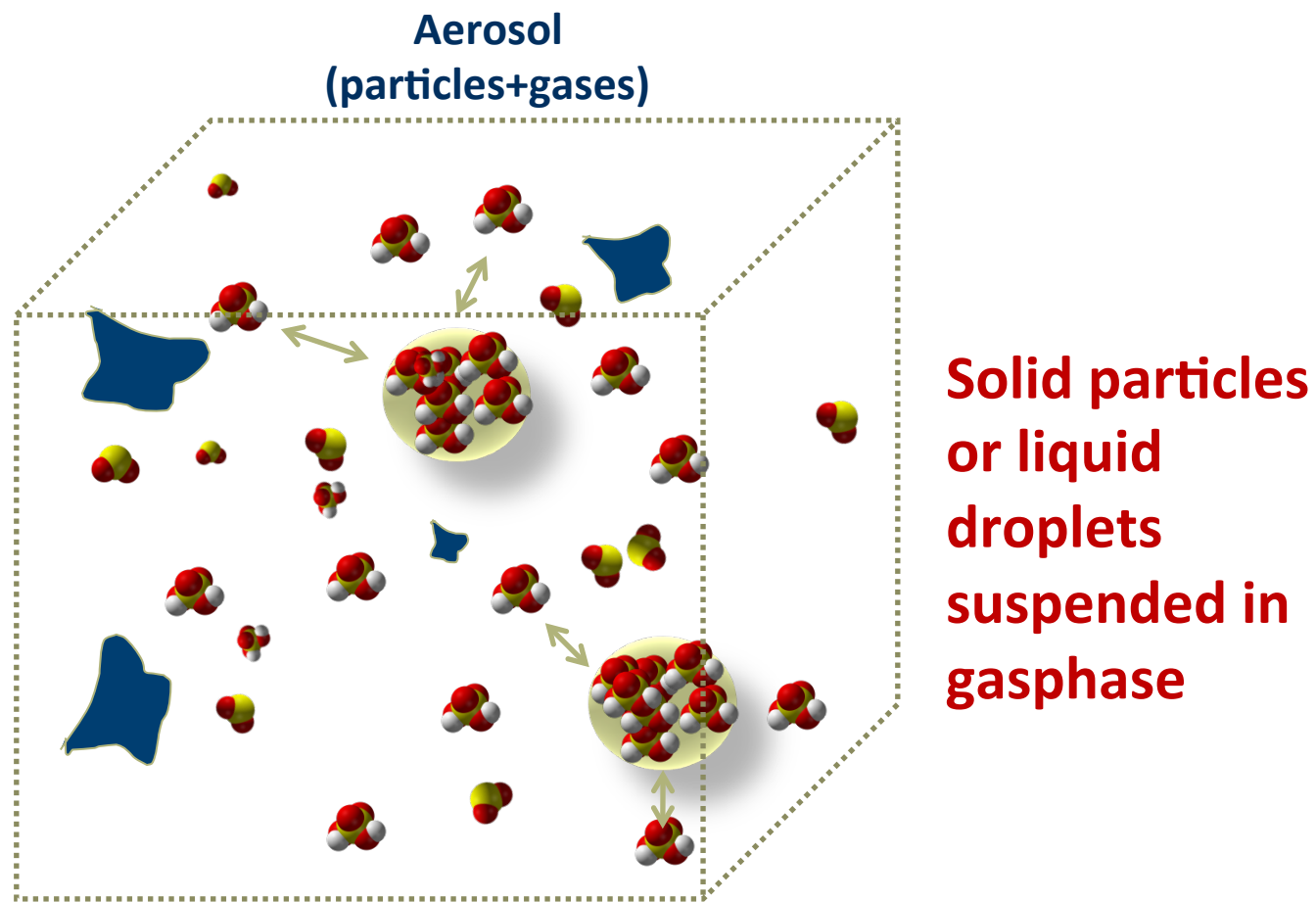
# Why important to describe aerosol dynamics?

The aerosol is continuously changed via a number of dynamical (both physical and chemical) processes, altering the properties of the size distribution

Knowledge of these processes is necessary in order to accurately assess both **smaller scale interactions** (e.g. aerosol cloud interactions) as well as **large scale transport and processing**

**Thus, aerosol processes are relevant on both micro and synoptic scale**

# Definition of aerosol



# Aerosol definition, cont.

A solid or liquid particle suspended in a gas phase

The aerosol in the atmosphere is polydisperse and appears over a size range from a few nm up to 100  $\mu\text{m}$

Always observed in the atmosphere; from a few 10's of particles in clean environments up to  $10^6$  in polluted environments

Mass varies between few tenths of  $\mu\text{g} \cdot \text{m}^{-3}$  up to  $\text{mg} \cdot \text{m}^{-3}$  under extreme conditions

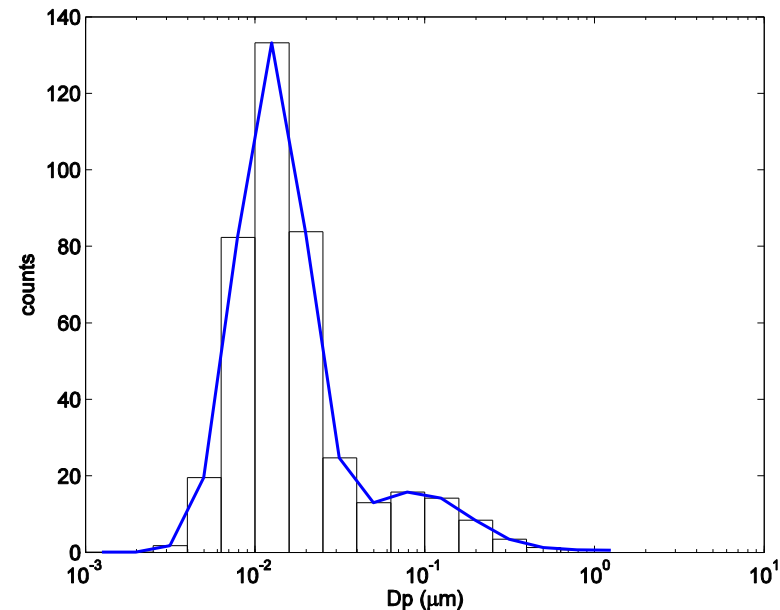
Typical tropospheric lifetimes: days-weeks

# Observing the aerosol

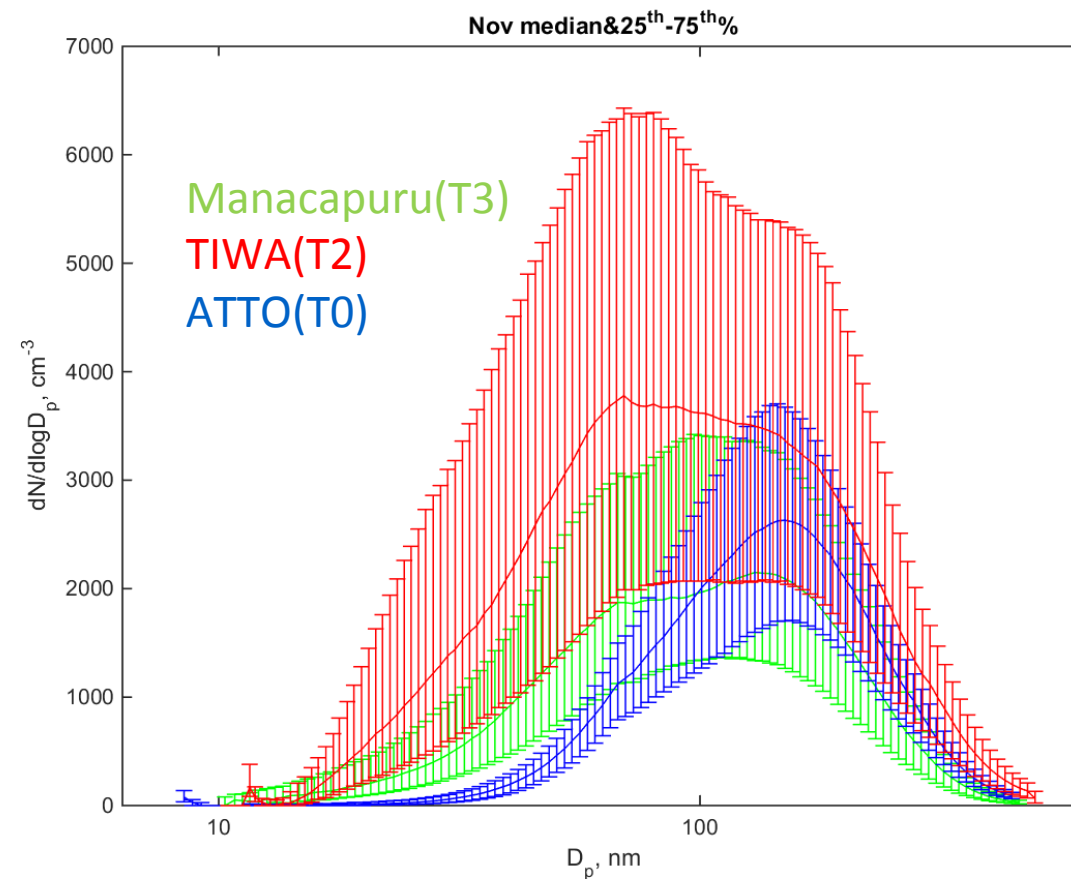
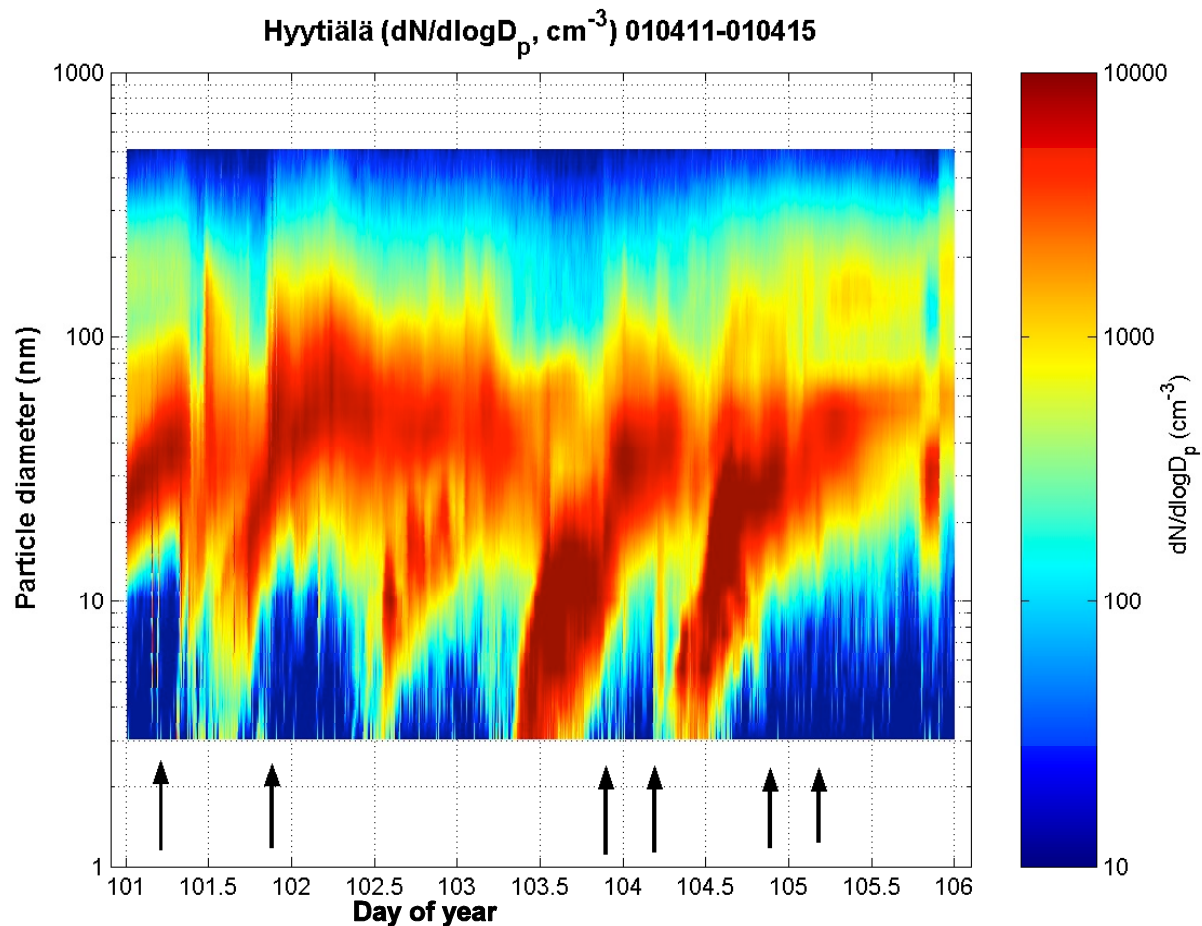
**Mass, number, optical properties,  
chemical composition**

**Either as bulk or size distributed**

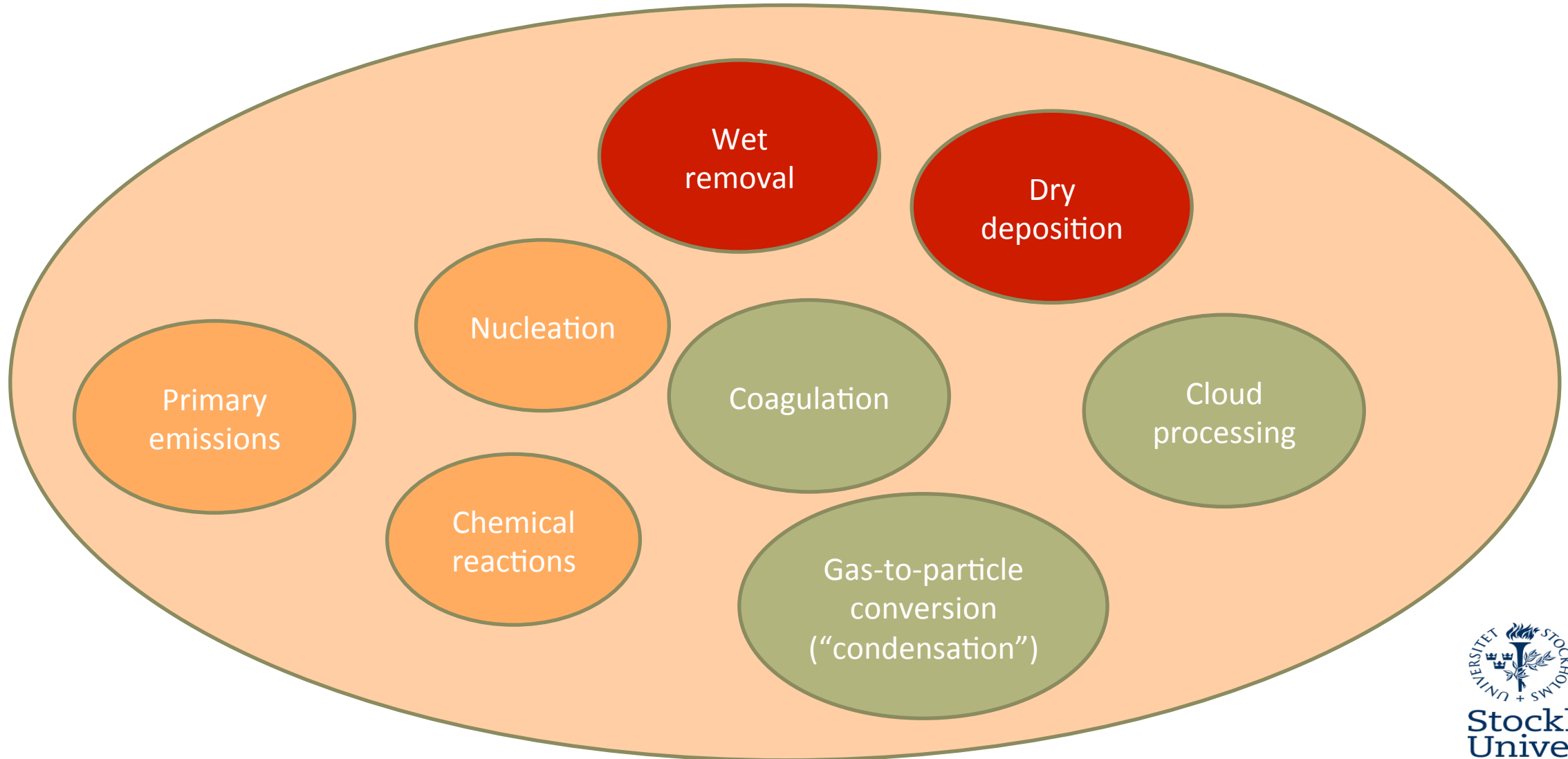
540  $\text{cm}^{-3}$  or...



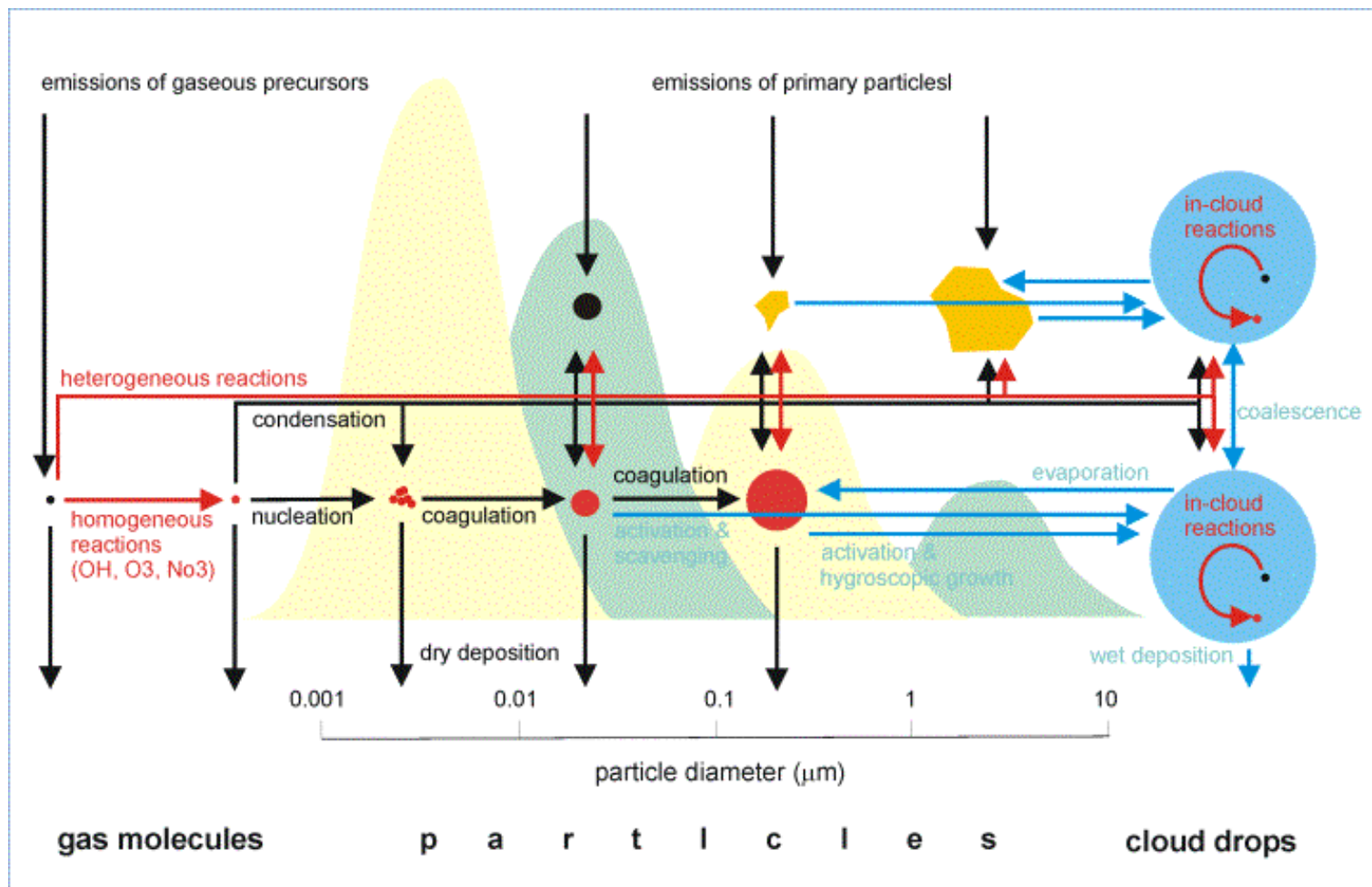
# The aerosol is highly variable in space and time



# Modeling the atmospheric aerosols

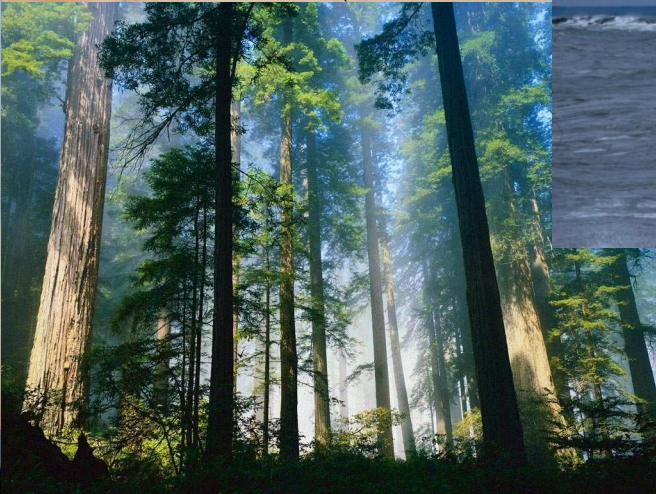
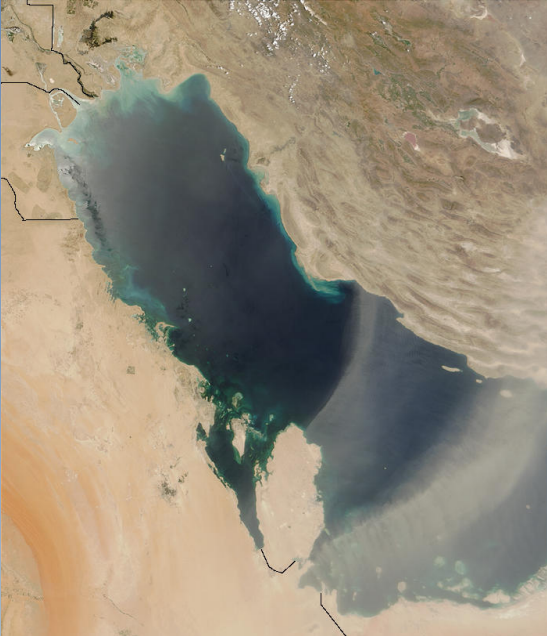


# Aerosol processes



Raes et al., *Atm. Env.*, 2000

# Sources of atmospheric aerosols





# Sources of secondary and primary aerosols

## Inorganic

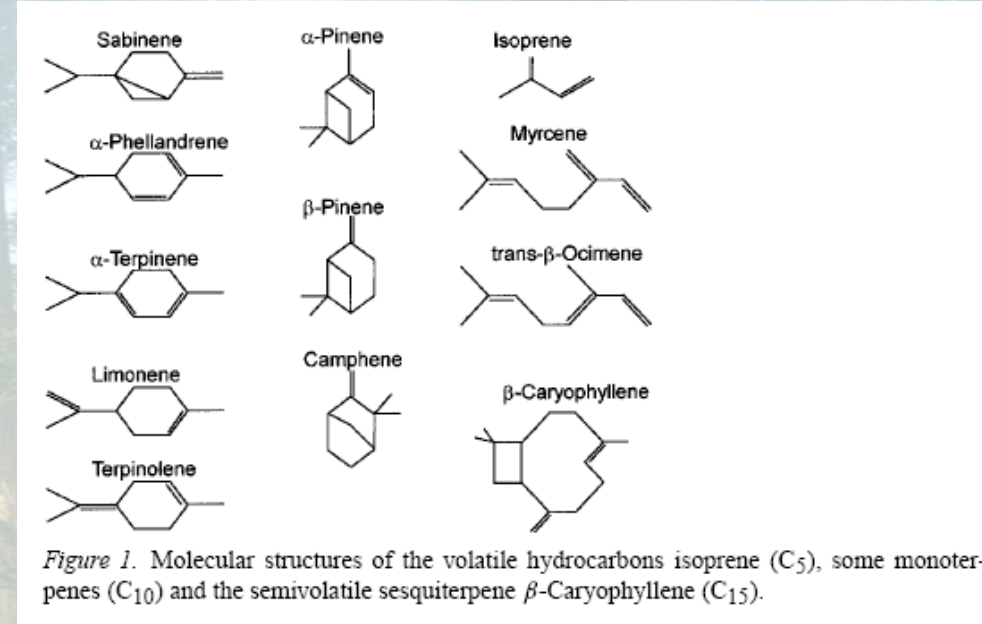
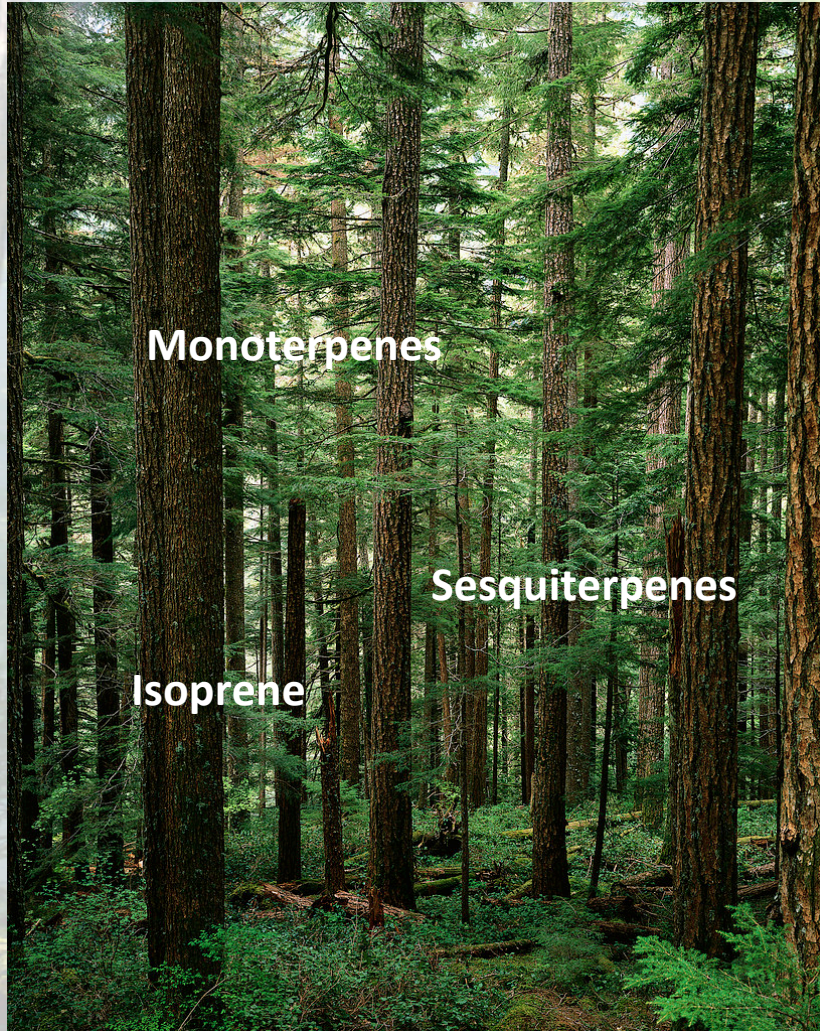


## Organic

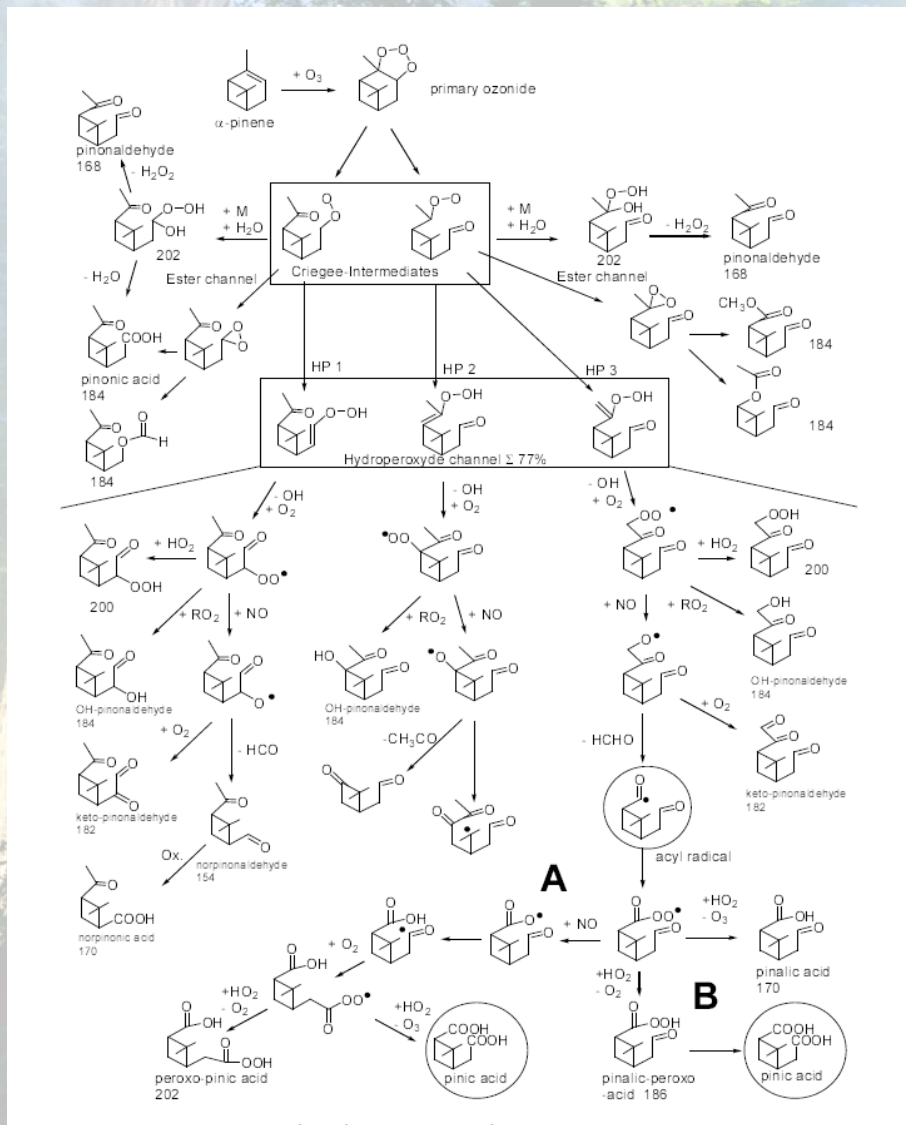
Biogenic VOC (BVOC's; eg Monoterpenes)

Anthropogenic VOC's (generally high Mw)

# Terpenoids: globally a very important source of secondary aerosols



# Terpene chemistry: $\alpha$ -pinene



Kanakidou et al., 2005

**Very complex chemistry!**

**Most well studied for  $\alpha$ -pinene and  $\beta$ -pinene**

**For most compounds, secondary oxidation steps are largely unknown**

**$\alpha$ -pinene most commonly abundant monoterpene**

**The ozone reaction believed to dominate SOA production**

# Sinks

## Dry deposition

Transport through air to a surface: Turbulent transport, transport over the laminar surface layer, surface properties

## Wet deposition

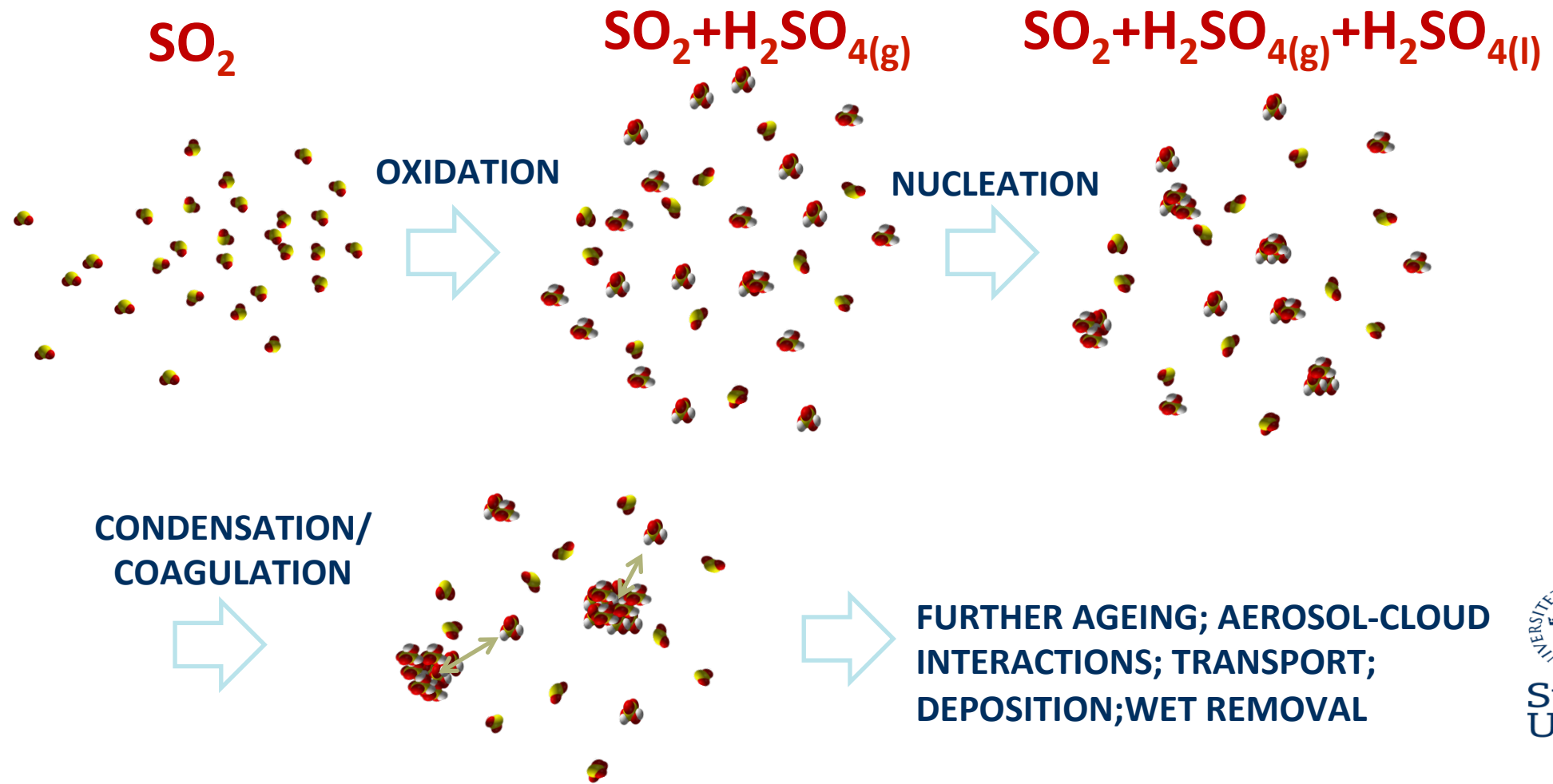
Up-take in cloud droplets ("in-cloud scavenging"), up-take in falling rain droplets ("below-cloud scavenging")

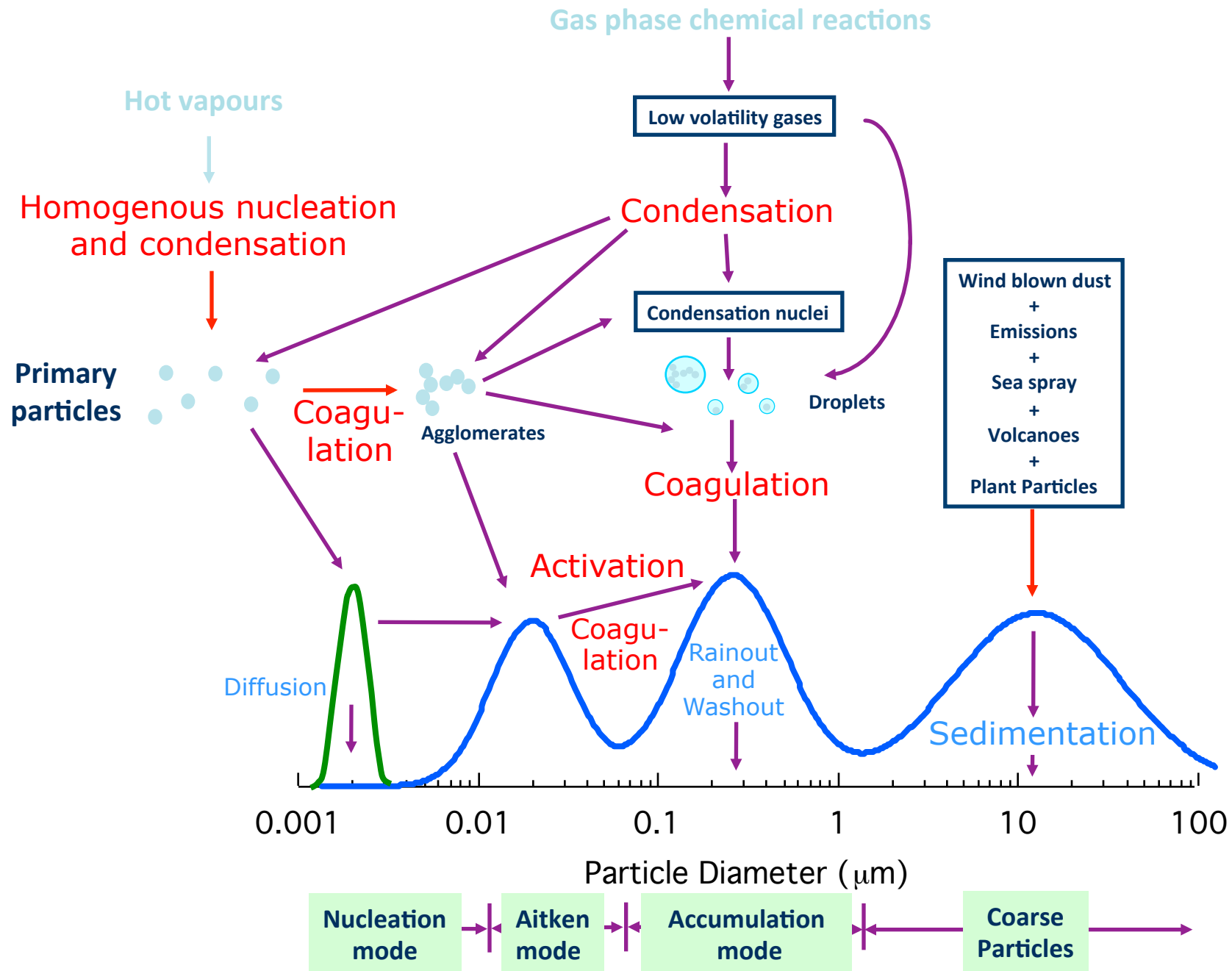
## Chemical reactions in the atmosphere

Reactions of different compounds with OH, ozone och NO<sub>3</sub>



# Aerosol dynamics



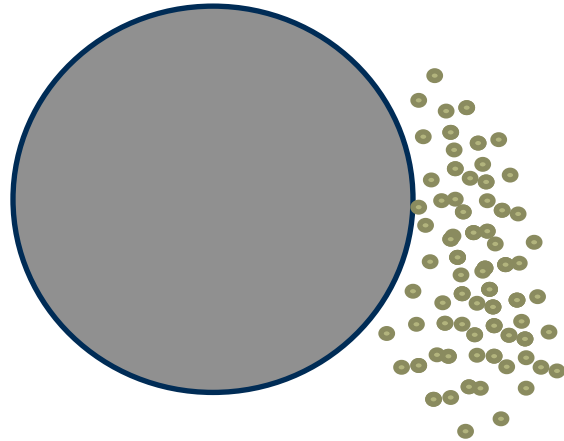


# Basic processes acting on single aerosol particles

- Gravitational settling
- Drag force
- Brownian motion

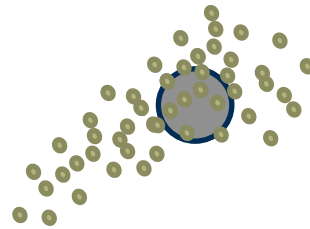
# Single particle dynamics and Knudsen number

Continuum regime



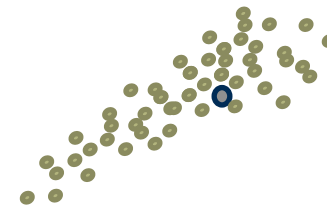
$$Kn \rightarrow 0$$

transition regime



$$Kn \approx 1$$

Free molecular regime



$$Kn \rightarrow \infty$$

$$Kn = \frac{2\lambda}{D_p}$$

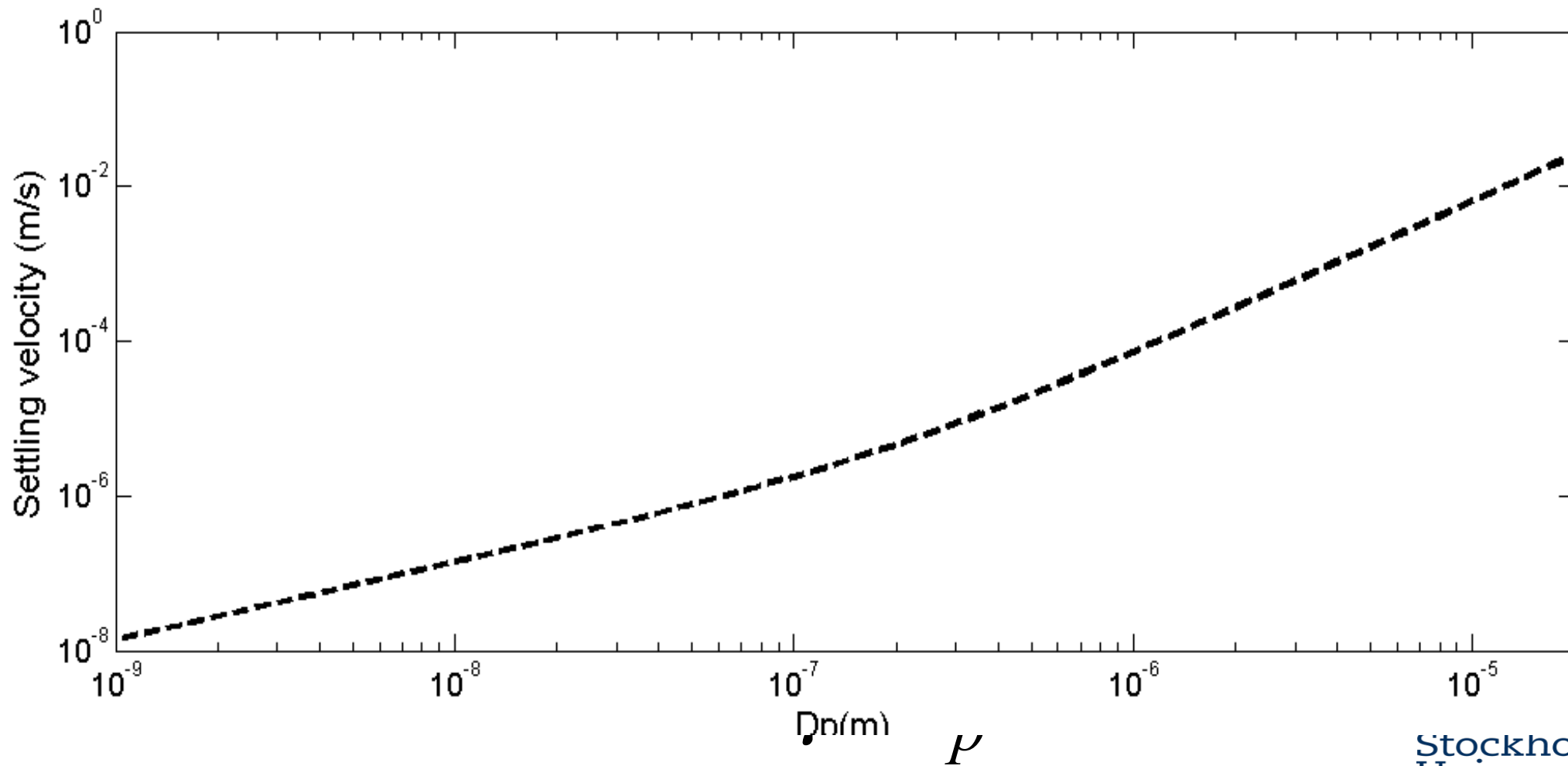
*Knudsen number*

*Where  $\lambda$  is mean free path of air (66nm@293K) and  $D_p$  is diameter of particle*

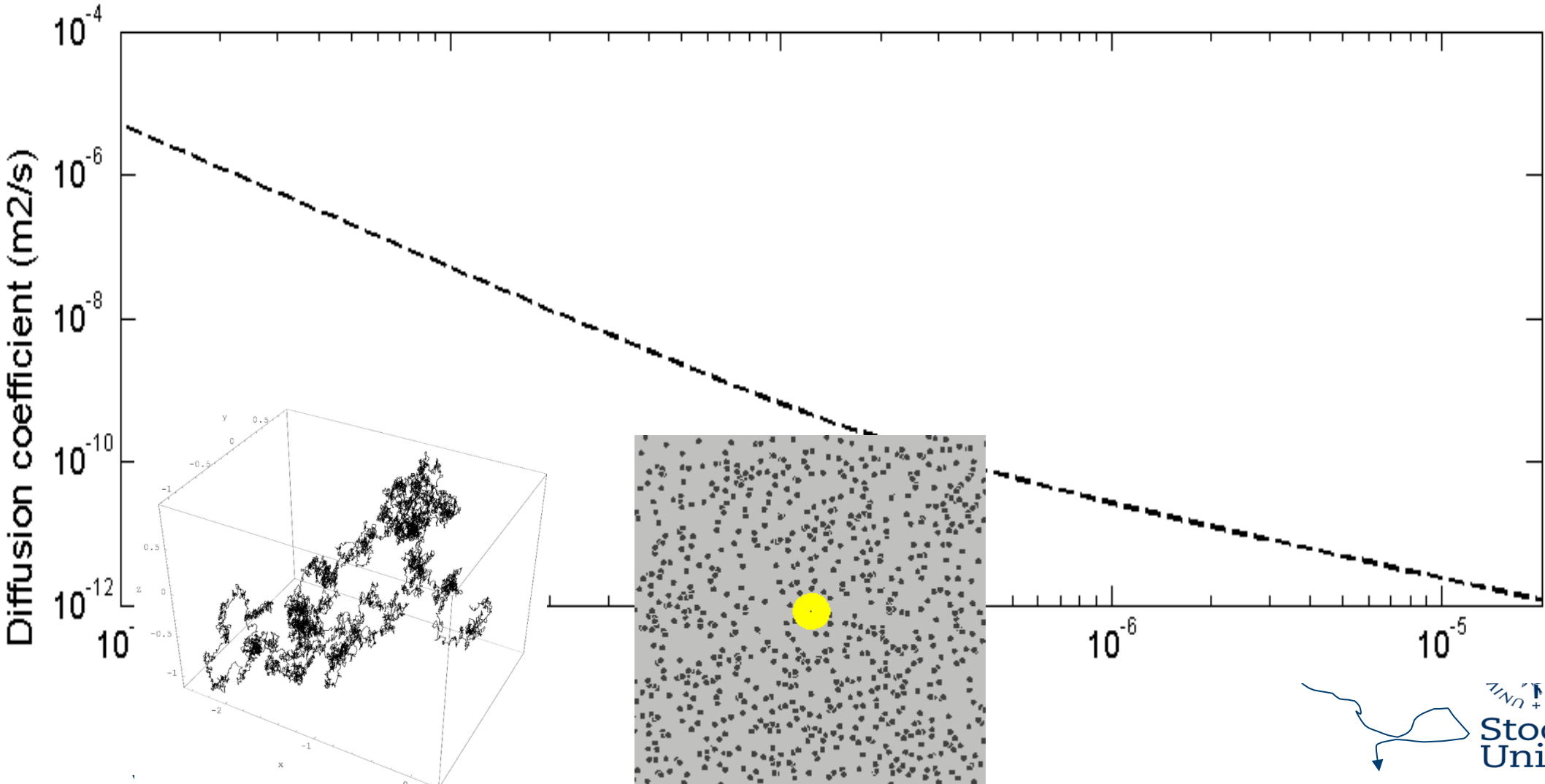


# Gravitational settling

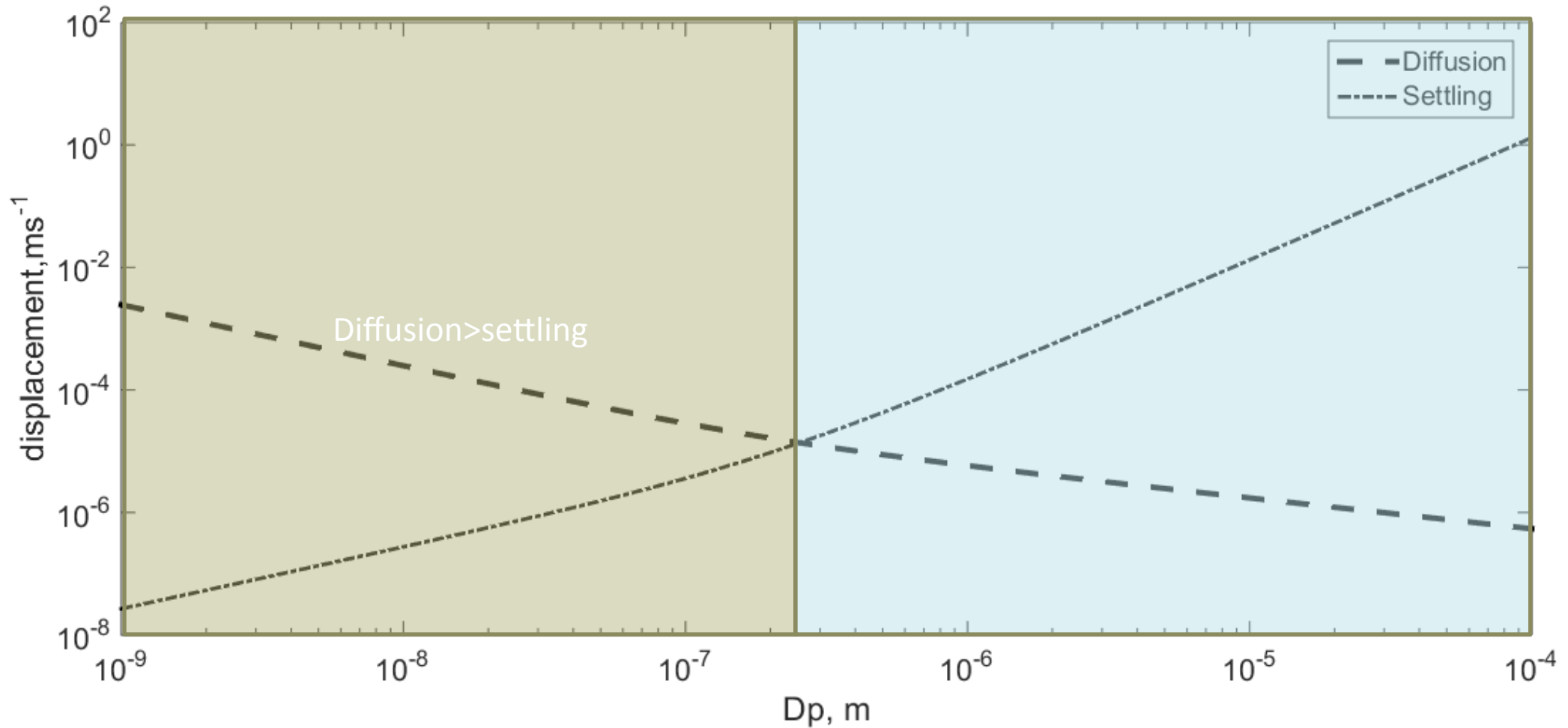
$$F_{drag} = F_{grav}$$



# Brownian diffusion



# Estimating displacement as function of size; Brownian diffusion vs gravitational settling



# Dry deposition

$$F = -v_d * C$$

where:

F=flux to surface  $m^{-2}s^{-1}$

$v_d$ =deposition velocity (m/s)

C=concentration of particles

$$F = -V_d C$$

$$F = -\frac{m}{s} * \frac{\#}{cm^3} \implies \frac{\#}{m^2 s}$$

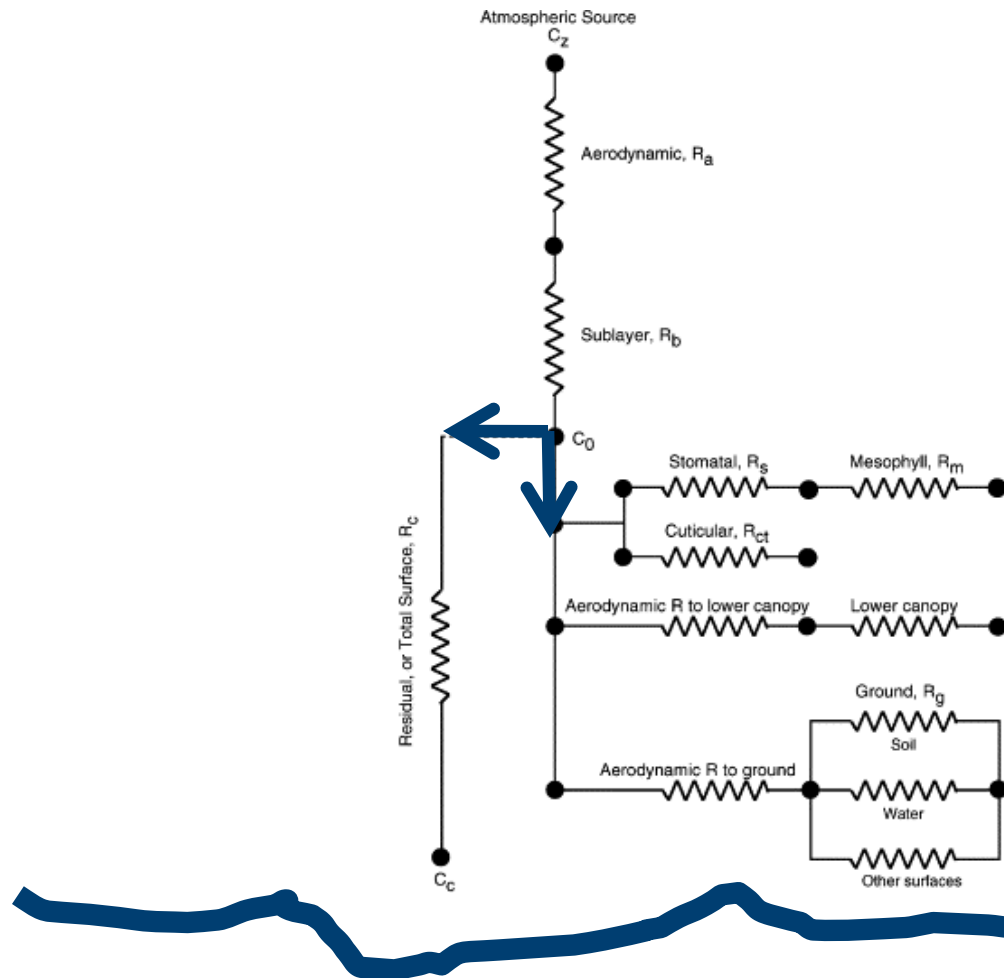
# Dry Deposition

**Only removal path in the dry atmosphere**

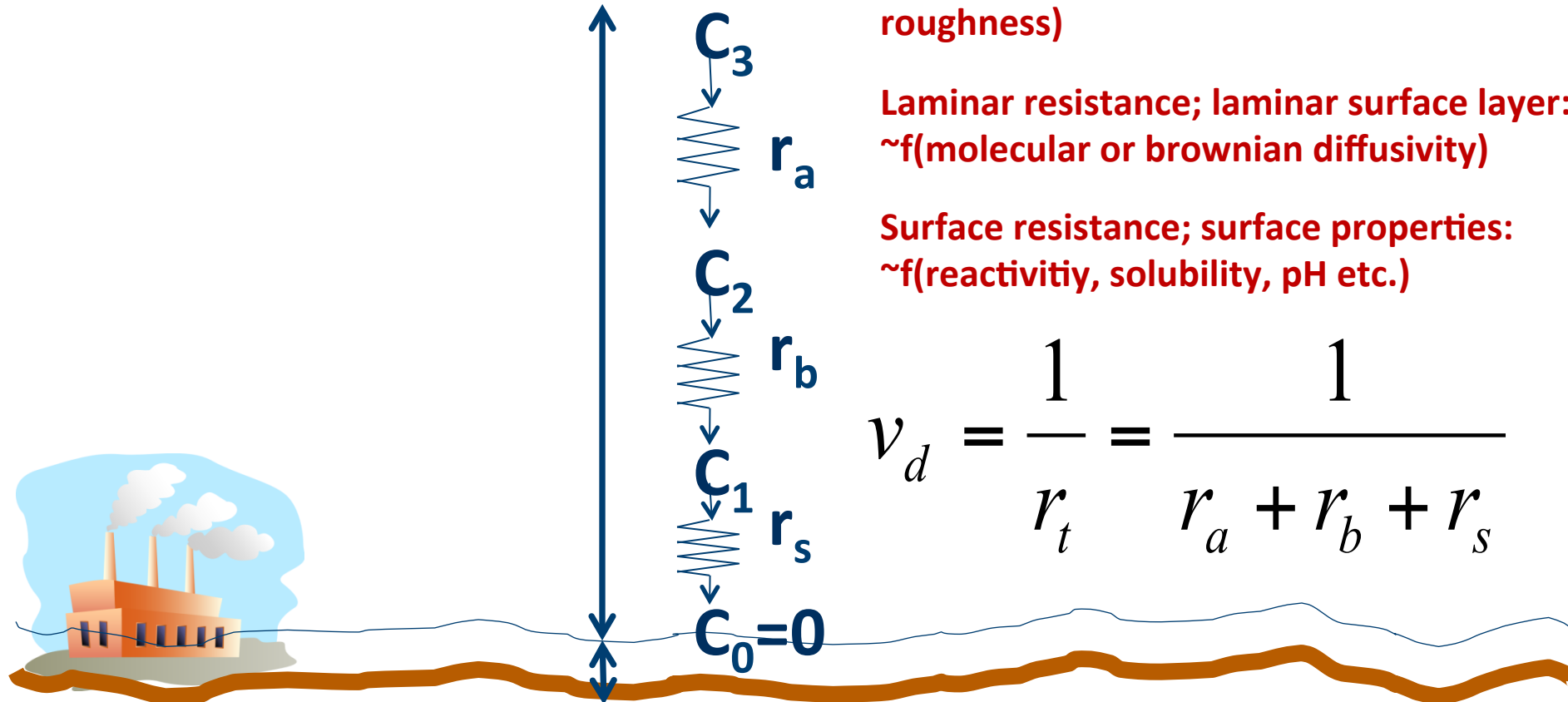
**Depends on:**

- Atmospheric turbulence
- Phase of species (gas or particle)
- Physio-chemical properties of depositing species
  - Particles: size, density
  - Gases: water solubility, reactivity
- Surface properties (Reactive? Sticky? Irregular?(eg vegetation))

# Resistance analogy cont'd



# Resistance analogy



# Dry deposition velocity

$$v_d = \frac{1}{r_t} + v_s = \frac{1}{r_a + r_b + r_a r_b v_s} + v_s$$

AERODYNAMIC RESISTANCE

$$r_a = \frac{U}{u^*{}^2}$$

Turbulent transport

QUASI-LAMINAR RESISTANCE

$$r_b = \frac{1}{u^* (Sc^{-2/3} + 10^{-3/St})}$$

Diffusion

Impaction

$u^*$  = friction velocity

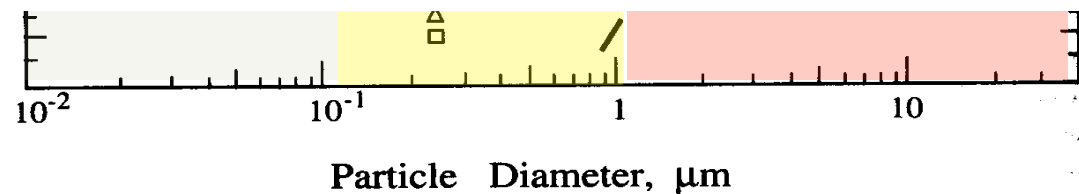
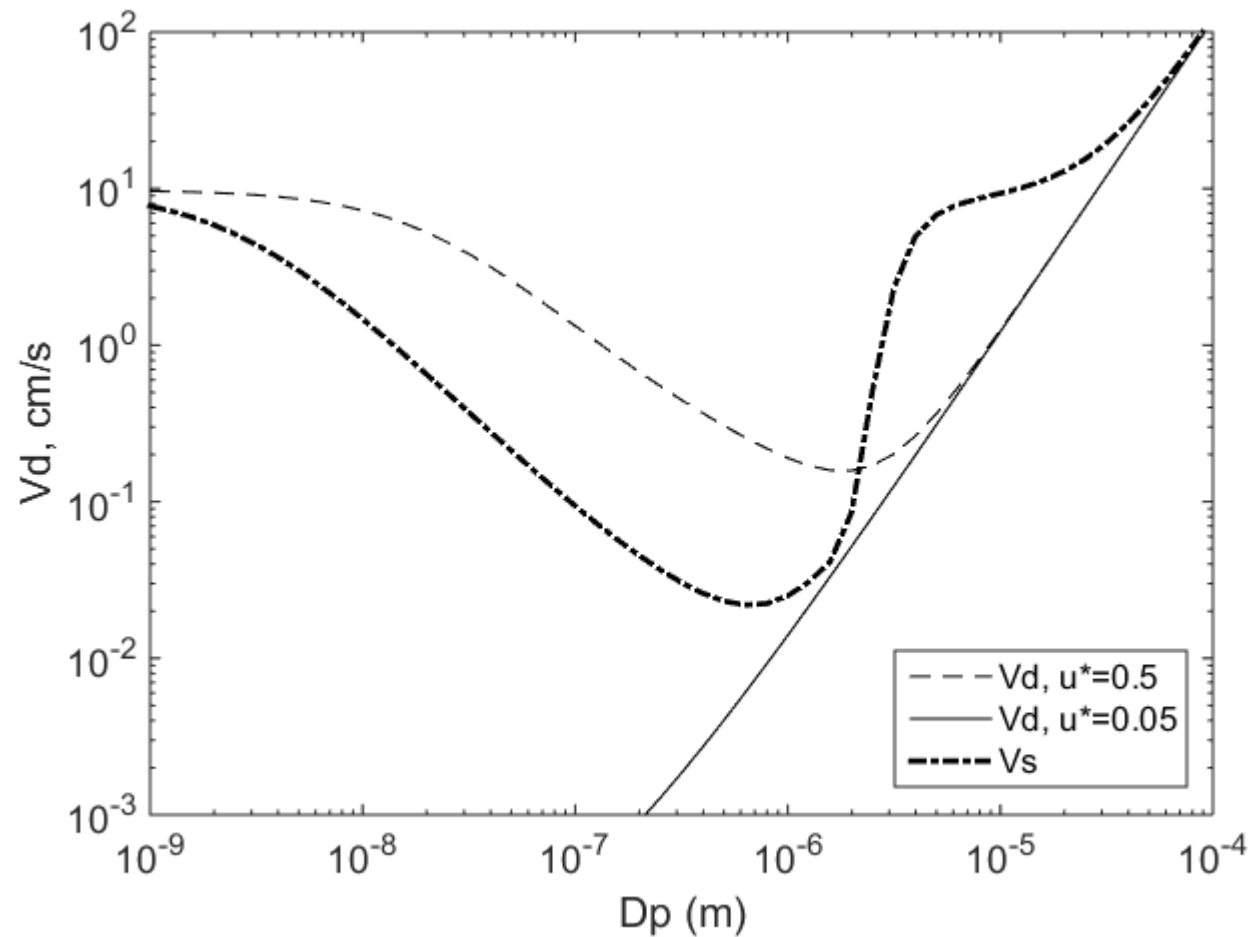
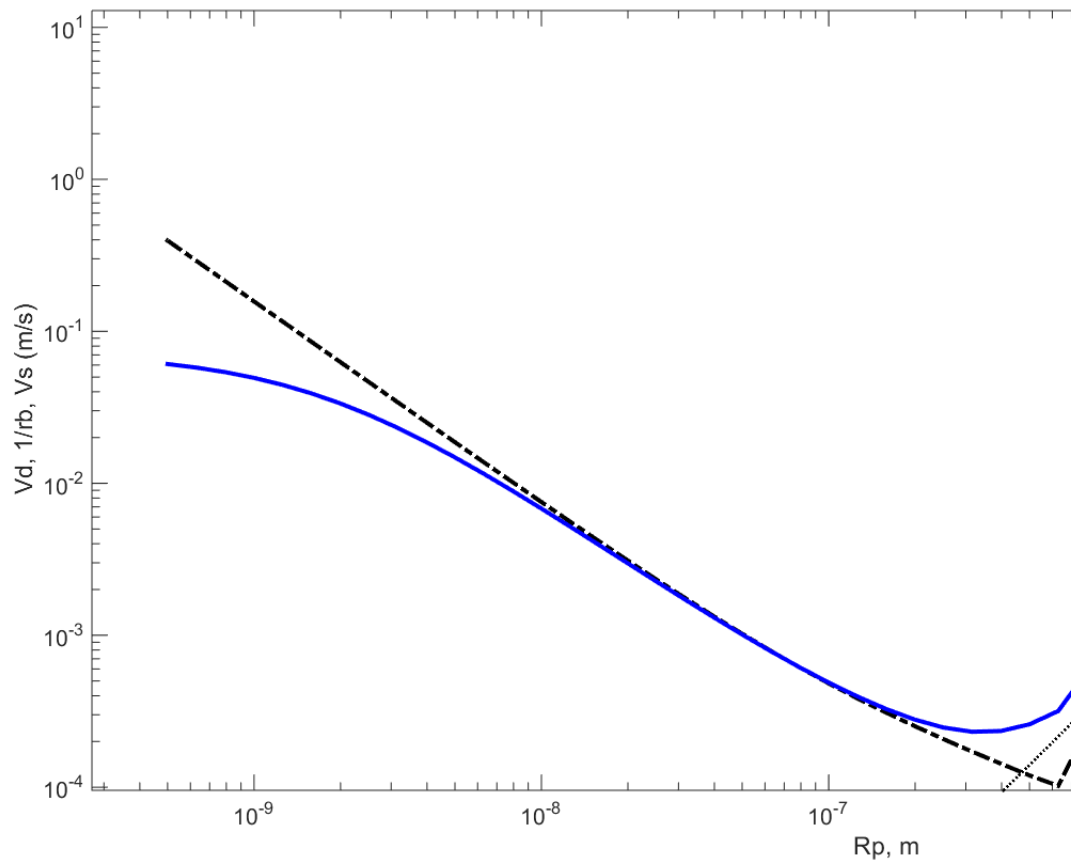
SEDIMENTATION VELOCITY

$$V_s = \frac{C_c m_p g}{3\pi\mu D_p}$$

Sedimentation



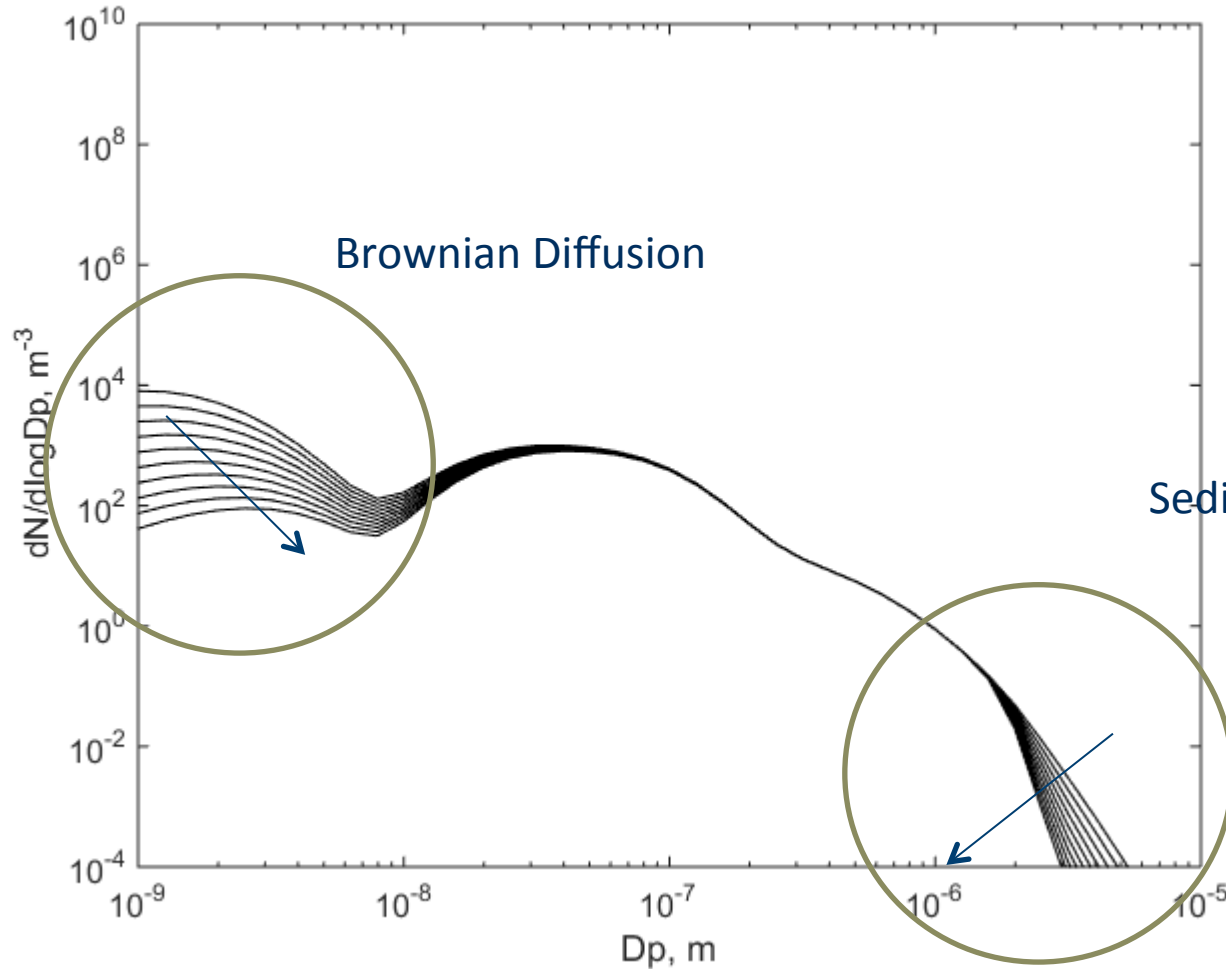
# Dry deposition-transport of particles



# Ageing due to dry deposition

$$Sc = \mu_{air} / Diff_p$$

$$Sc^{-2/3}$$



$$\frac{dM}{dt} < 0,$$

$$\frac{dN}{dt} < 0$$

Sedimentation, impaction

$$10^{-3/St}, St = \frac{u^{*2} V_s}{g\mu} \text{ and } V_s$$

# Coagulation

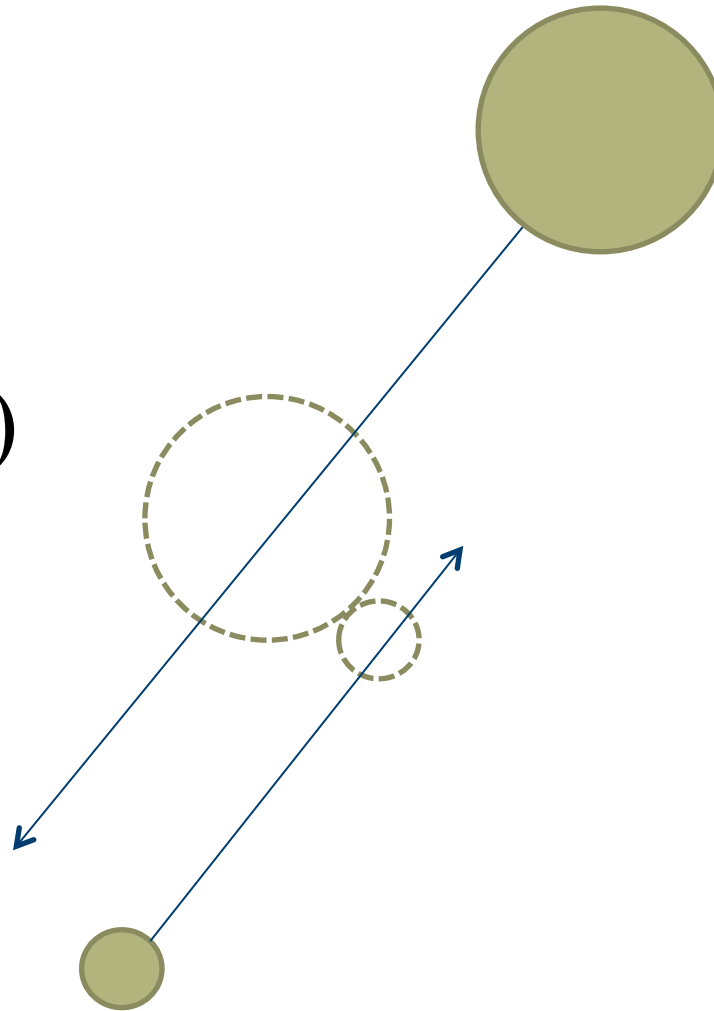
- Mainly the result of Brownian motion, although other forces may come into play (electrical, gravitational etc)
- *Two particles* collide, aggregate and form *one new particle*
- Coagulation does not affect mass, but reduce number
- Most efficient for small particles

# Coagulation

- Free molecular regime

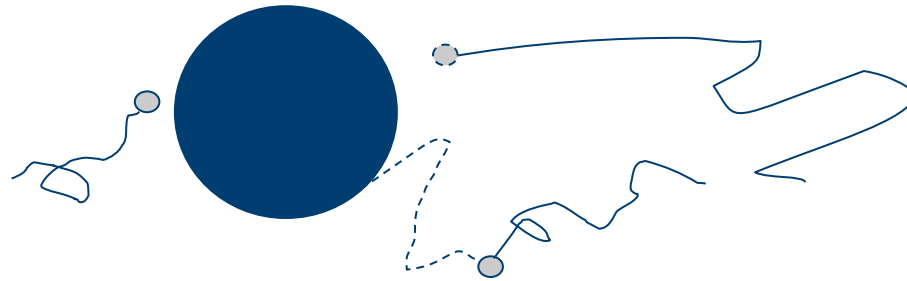
$$RMS = \sqrt{(v_i^2 + v_j^2)}$$

$$CC = \pi(r_i^2 + r_j^2)$$



# Coagulation

- Continuum regime
  - the kernel in this regime is found by solving the time-dependent diffusion equation around a stationary spherical absorber in an infinite medium with suspended particles. ***Transport and collision through "random walk"***



- Transition regime ( $\sim 1 < Kn < 50$ )
  - Semi-empirical solution to the collision kernels (Fuchs 1964, "Flux matching")

## Coagulation; *Fuchs form of the coagulation coefficient*

$$\frac{dN}{dt} = -K_{12}N_1N_2$$

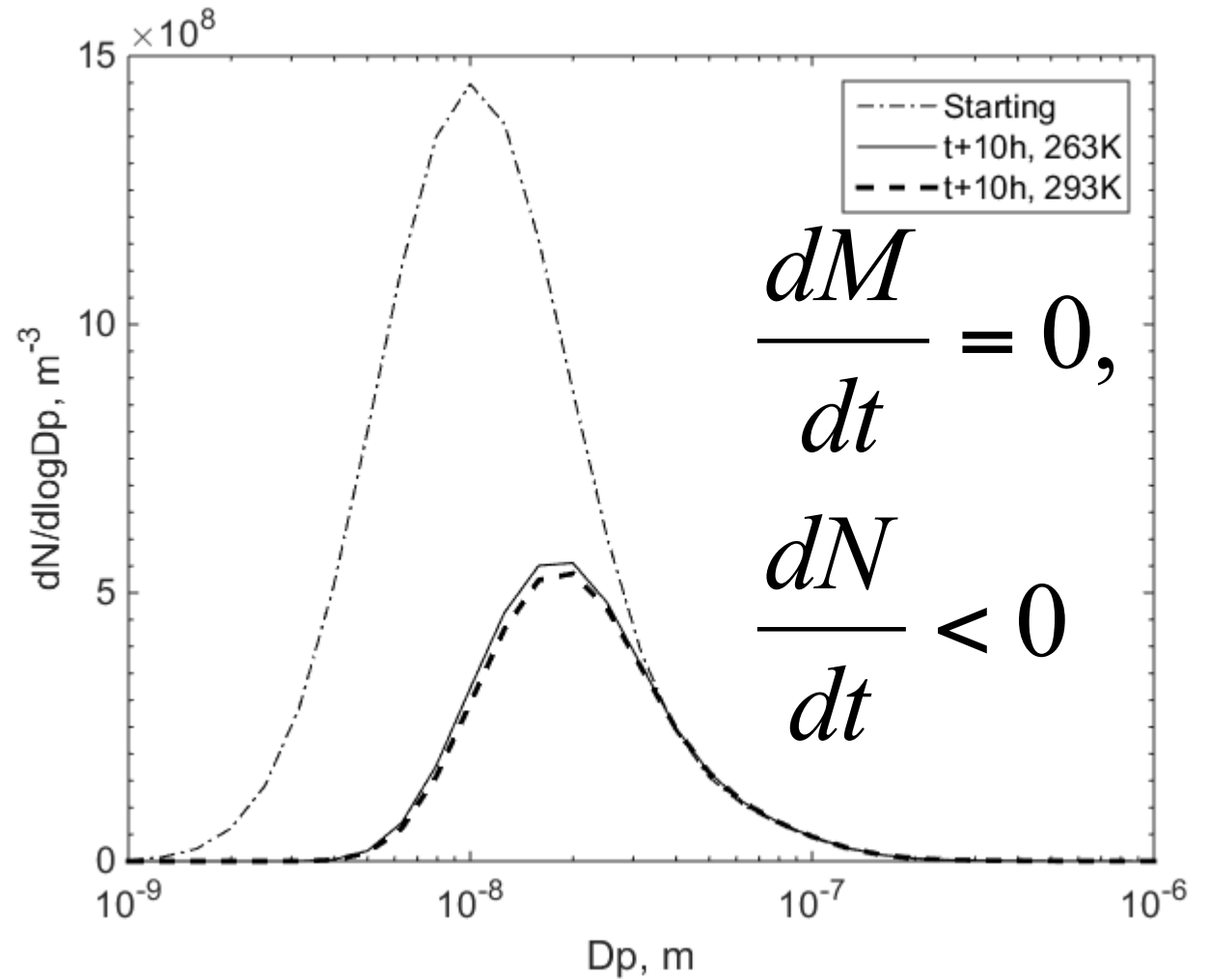
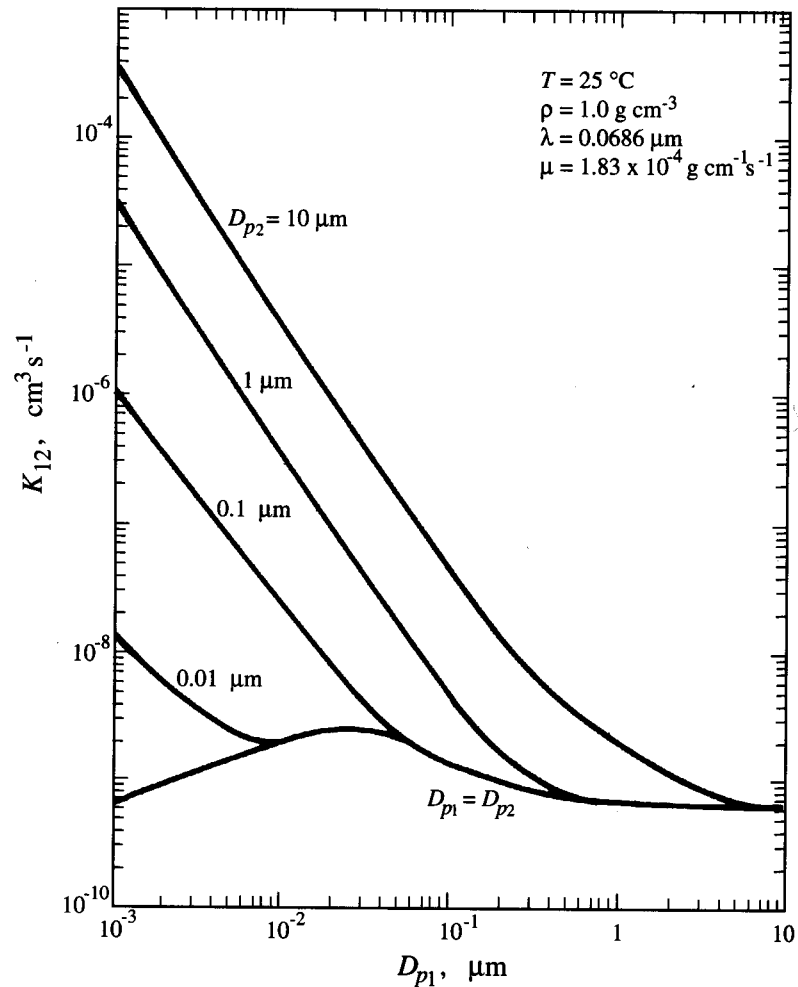
$$K_{12} = 2\pi D_1 D_2 (Dp_1 + Dp_2) \left( \frac{Dp_1 + Dp_2}{Dp_1 + Dp_2 + 2(g_1^2 + g_2^2)^{1/2}} + \frac{8(D_1 + D_2)}{(c_1 + c_2)^{1/2} (Dp_1 + Dp_2)} \right)^{-1}$$

$$D_{1,2} = f\left(T, \frac{1}{Dp}\right)$$

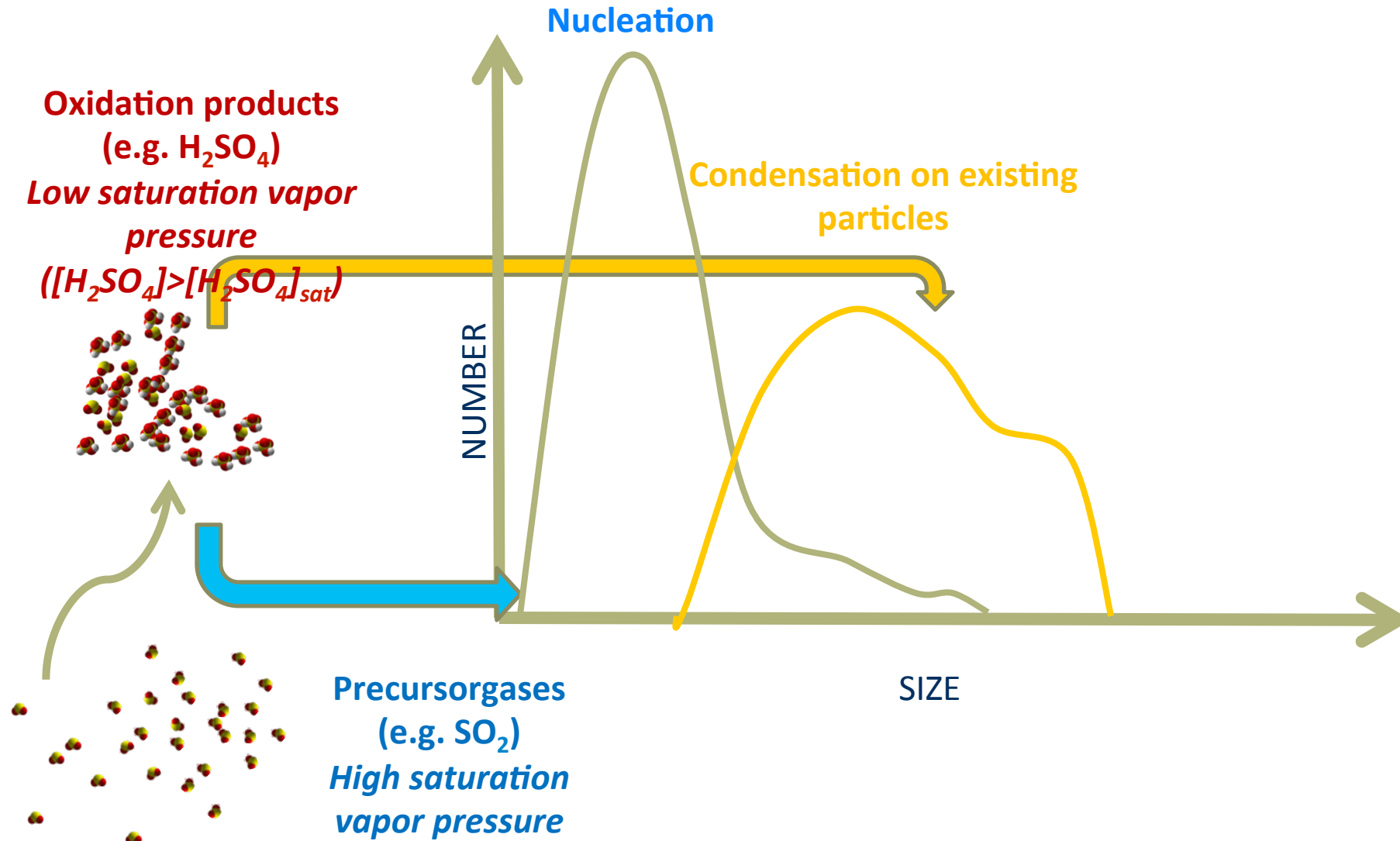
$$C = f\left(T, \frac{1}{Dp^3}\right)$$



# Aerosol dynamics: coagulation



# Gas-to-particle production





## Secondary particle production: Saturation ratio

$$S = \frac{P_a}{p_a^s(T)}$$

$S < 1$ , *Subsaturation*

$S > 1$ , *Supersaturation*

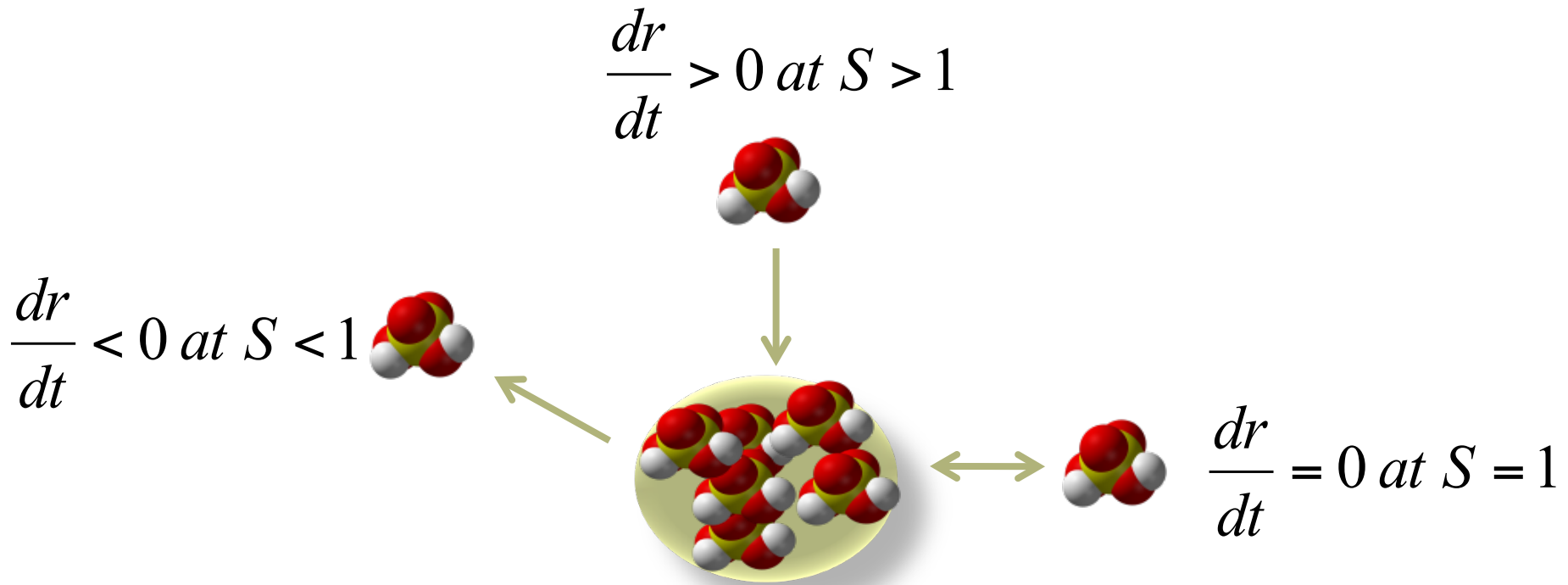
$S = 1$ , *Saturation*

S=saturation ratio  
 $p_a$ =partial pressure of a  
 $p_a^s$ =saturation vapor  
pressure of a at  
temperature T

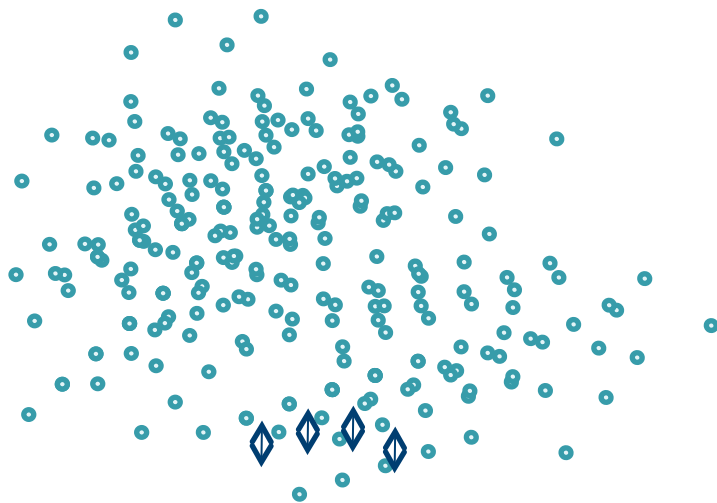
$$\ln\left(\frac{p_{a,1}^s}{p_{a,2}^s}\right) = \frac{\Delta H_{vap}}{R} \left(\frac{1}{T_2} - \frac{1}{T_1}\right)$$

**Clausius-Clapeyron relation**

# Concepts of gas-to-particle conversion



# Kelvin effect



$$p_A = p_A^0 \exp\left(\frac{2\sigma v_m}{kTr_d}\right)$$

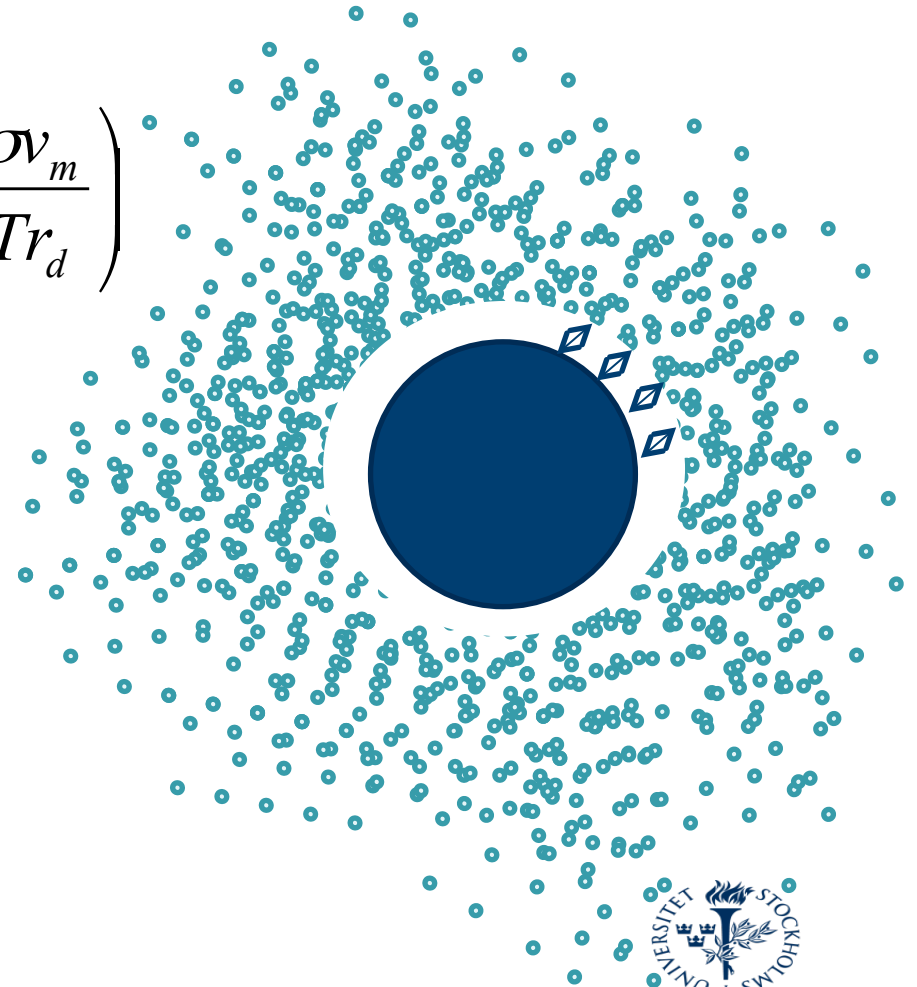
$\sigma$  = surface tension

$v_m$  = molecular volume

$k$  = Boltzmanns constant

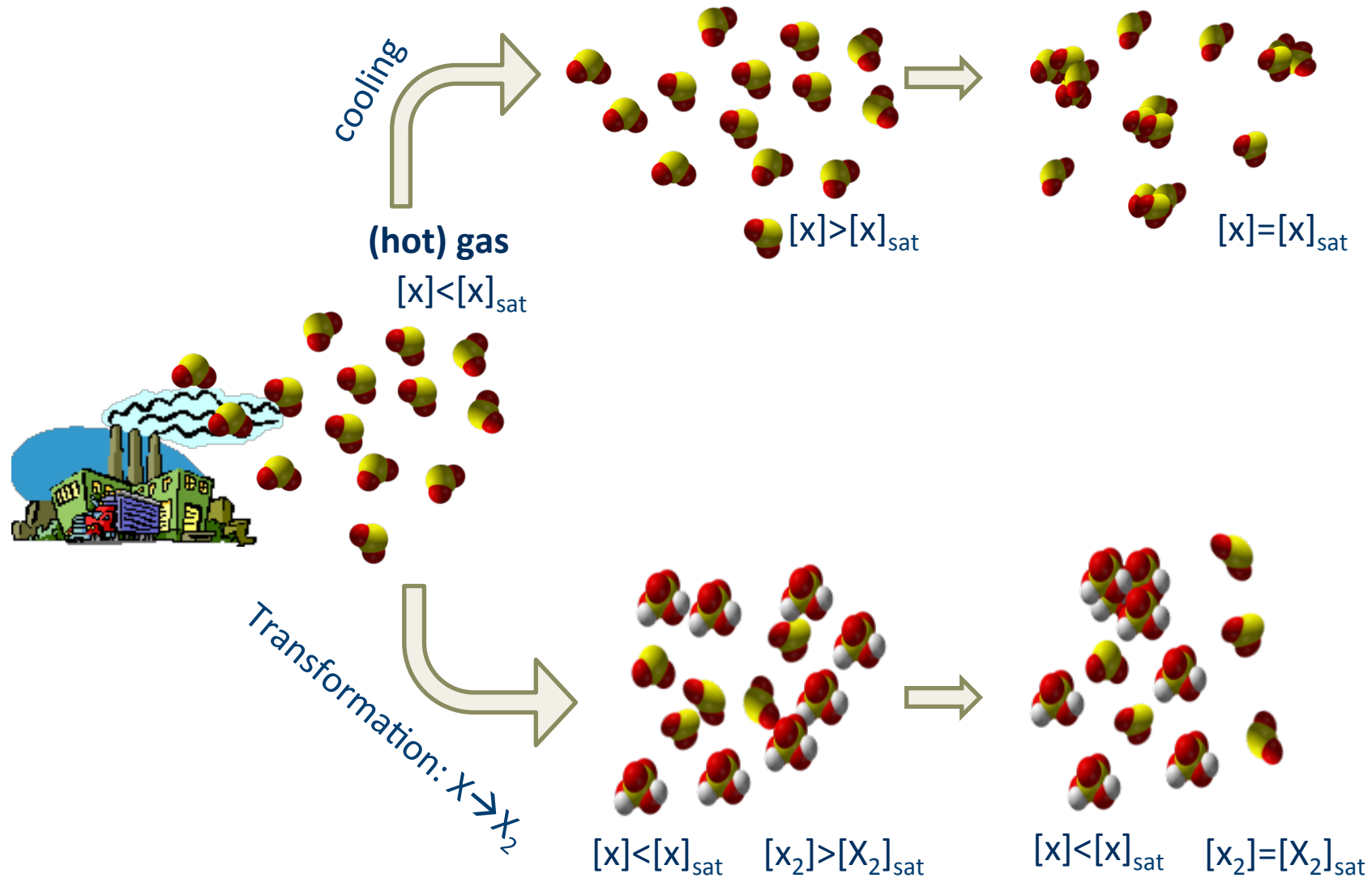
$T$  = Temp

$r_d$  = droplet radius



Vapor pressure of compound A over a curved surface always exceed that over a flat surface

# Gas-to-particle conversion: How is supersaturation reached



# Nucleation

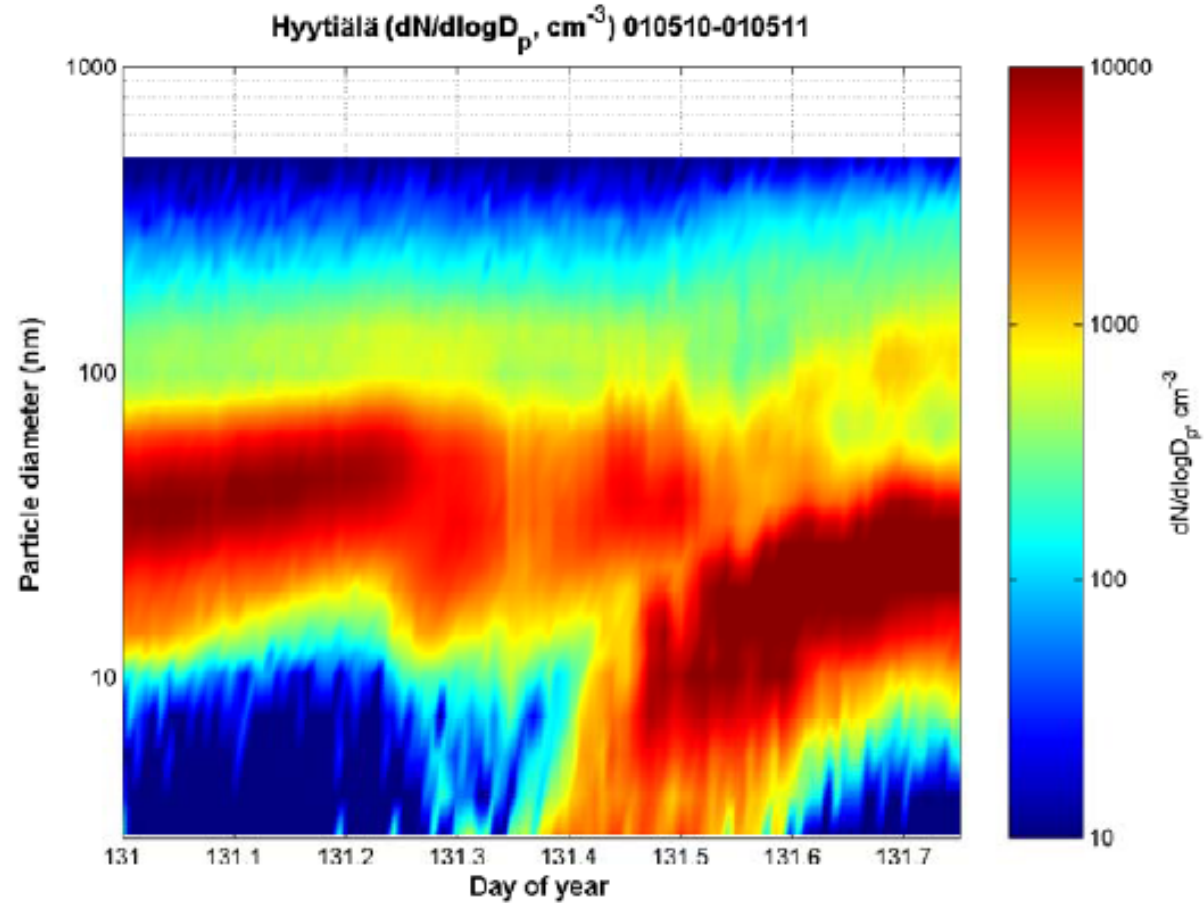


Figure 2: Example of nucleation event observed on 11<sup>th</sup> May 2001, Hyytiälä (61.51°N, 24.17°E).

# Particle number or particle mass?

## Role of condensation sink

- Amount of pre-existing aerosol surface crucial
  - Generation of supersaturated conditions + **low surface area** of pre-existing particles favours formation of **particle number via nucleation**
  - Generation of supersaturated conditions + **High concentration** of pre-existing particles favours formation of **particle mass via condensation**
  - This is often referred to as **“condensation sink”**

# Condensation

$c_s$  = saturation vapor pressure/concentration over surface

$c_s = kc_0$ ,  $k$  = Kelvin effect

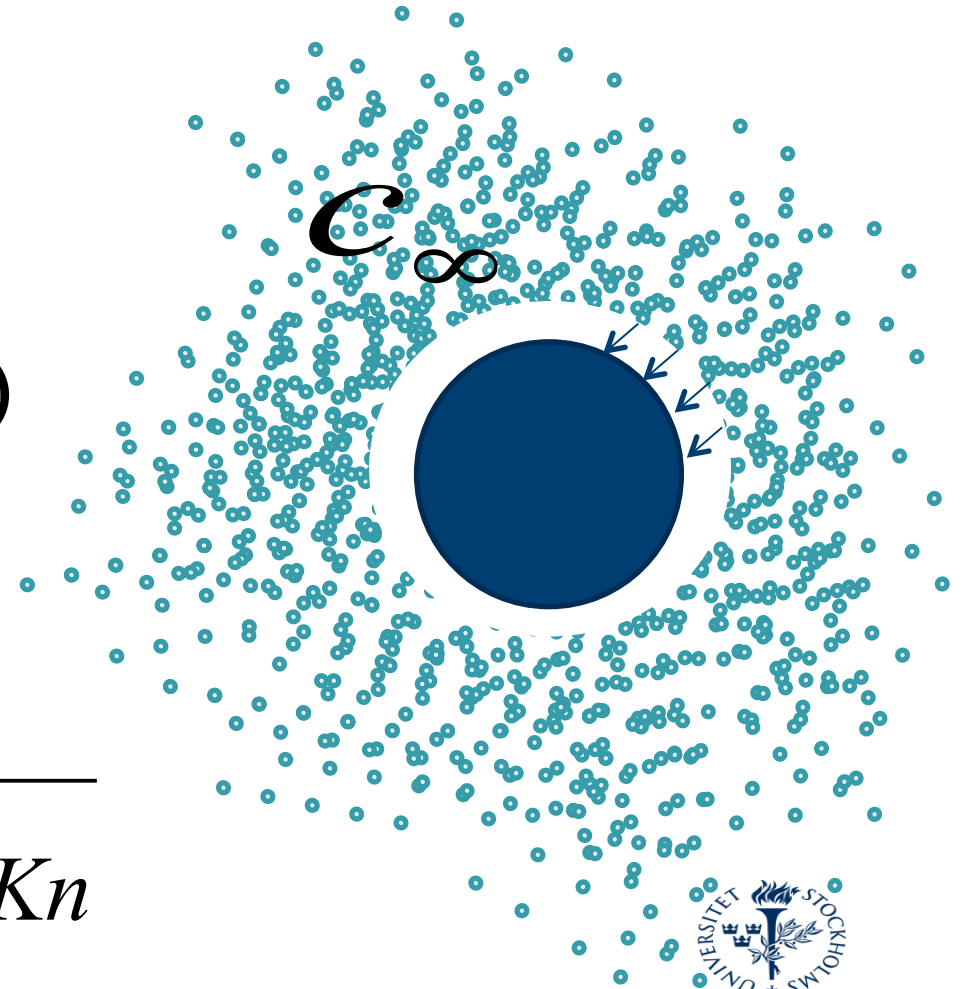
$$\frac{dM}{dt} = 4\pi r_p D_g (c_\infty - c_s)$$

$$\frac{dM}{dt} = \beta 4\pi (r_p + r_g) (D_p + D_g) (c_\infty - c_s)$$

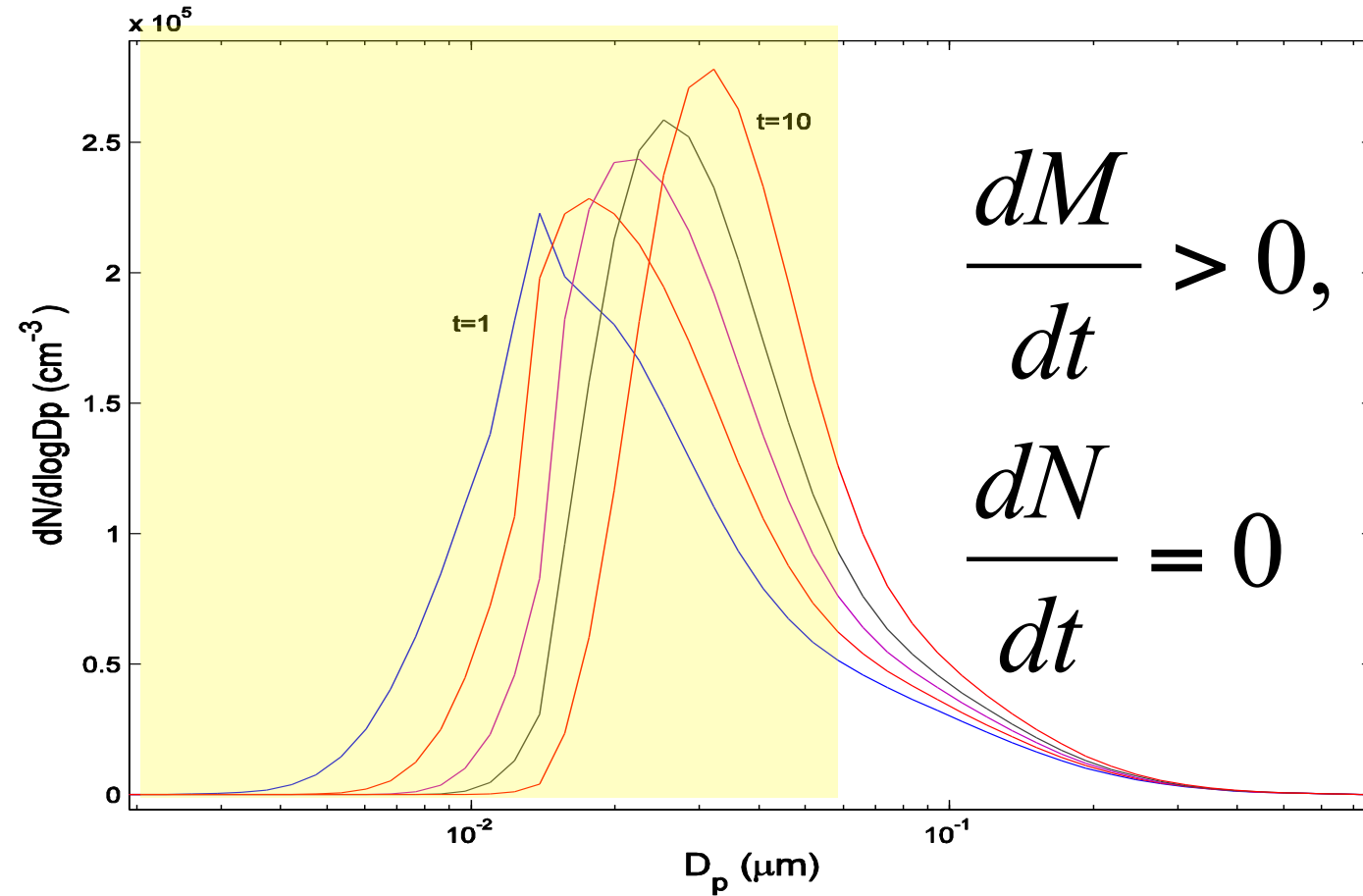
where

$$\beta_M = \frac{Kn + 1}{0.377Kn + 1 + \frac{4}{3}\alpha^{-1}Kn^2 + \frac{4}{3}\alpha^{-1}Kn}$$

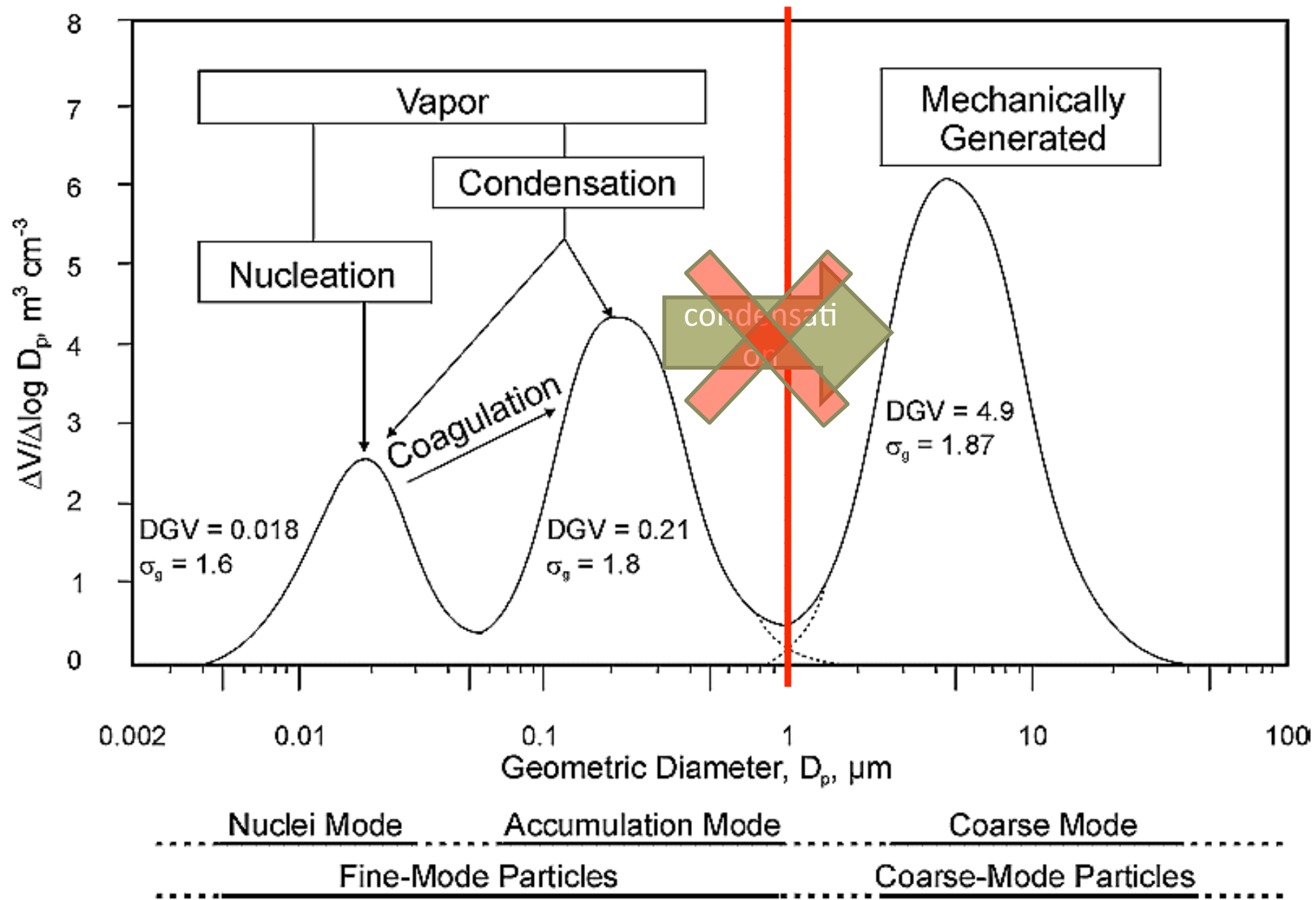
$\beta$ =Fuchs and Sutugin non-continuum correction factor



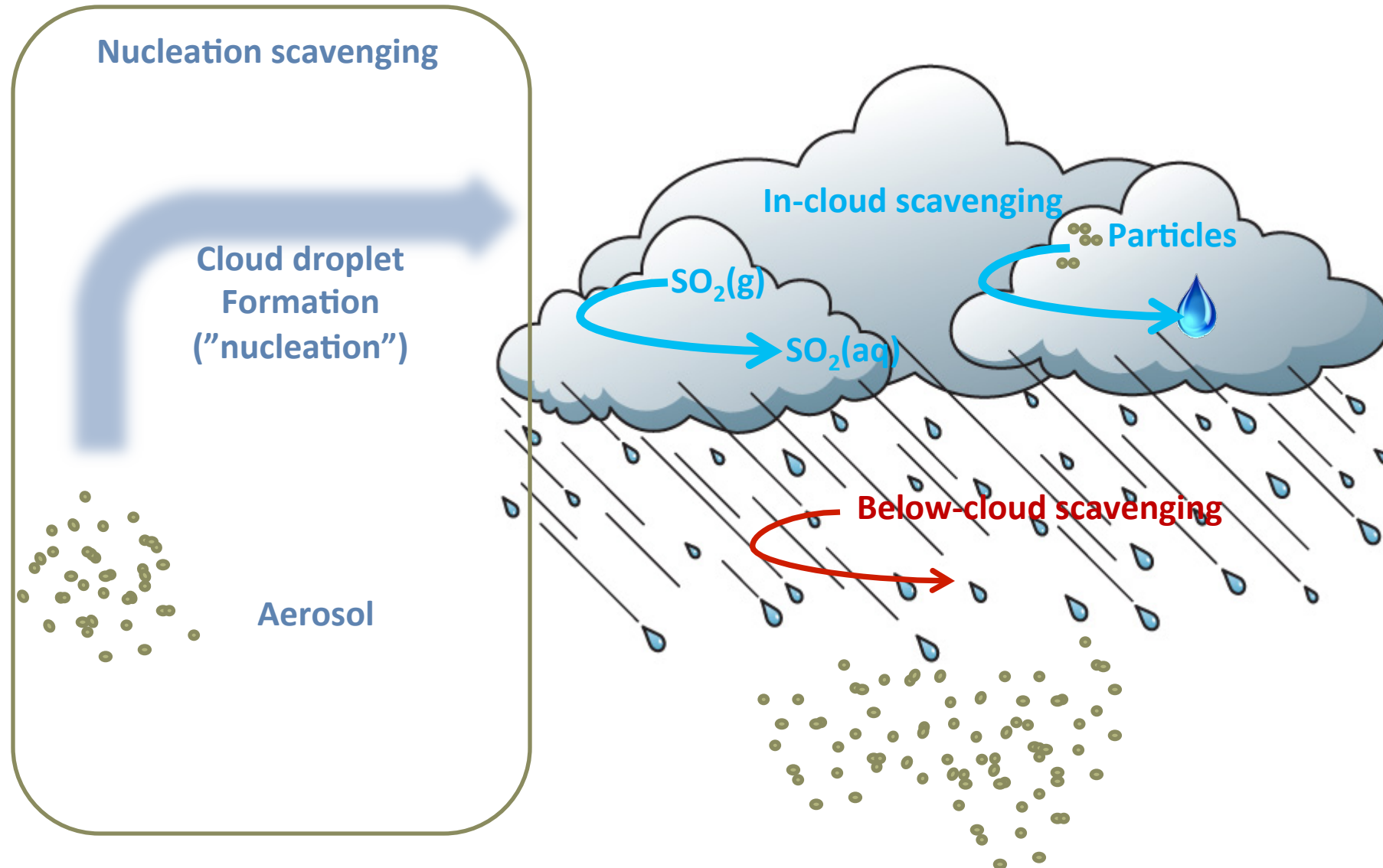
# Aerosol dynamics: condensation



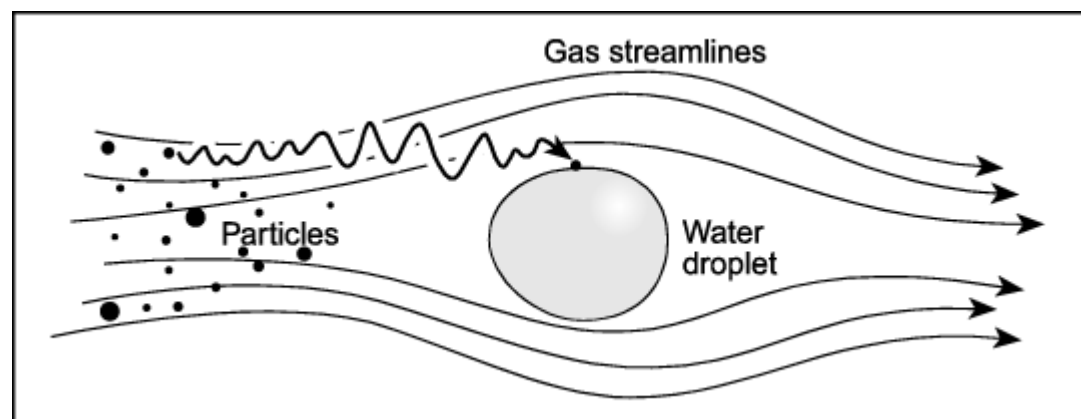
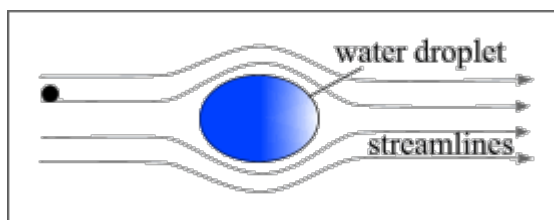
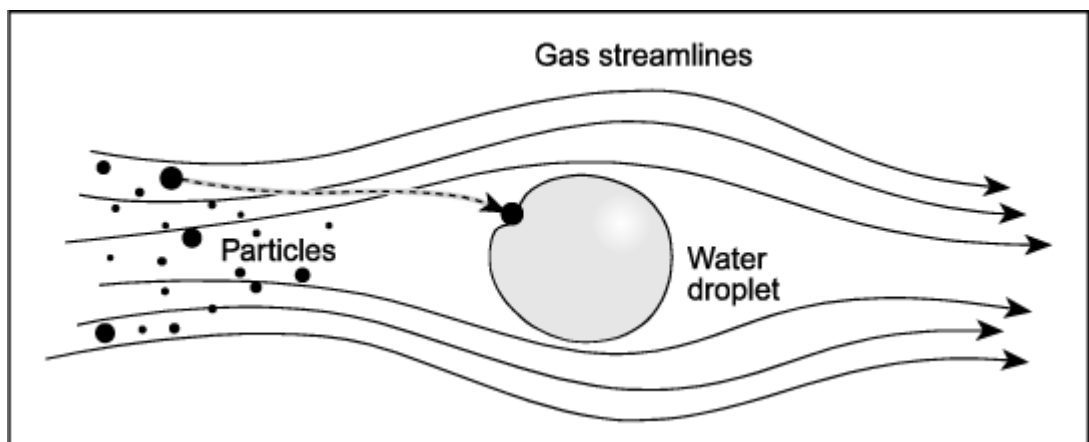




# Wet deposition



# Scavenging of aerosols: Impaction, diffusion and interception



## Below cloud scavenging of particles

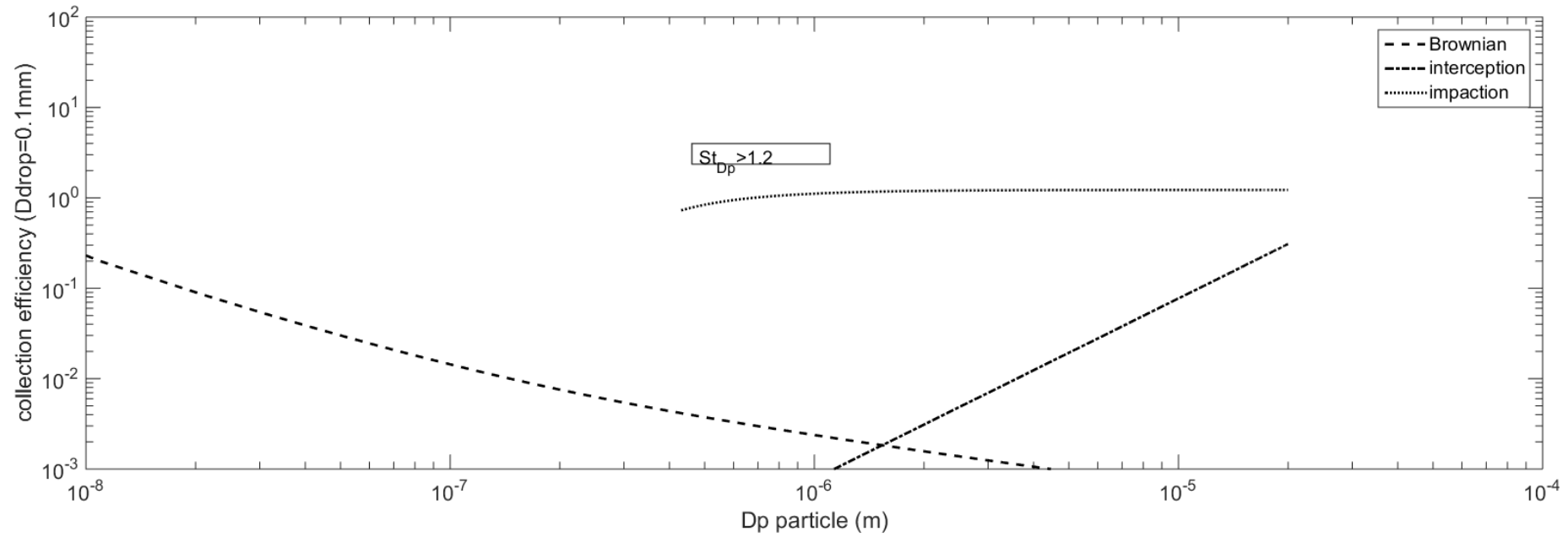
$$\Lambda(d_p) = \int_0^{\infty} \frac{\pi}{4} D_p^2 U(D_p) E(D_p, d_d) N_{D_p} dD_p$$

$D_p$  = rain droplet diameter

$d_d$  = *particle* diameter

$E(D_p, d_d)$  = *scavenging* efficiency

# Collection efficiency



# Scavenging

- Thus, we need a droplet distribution
- Marshal Palmer droplet distribution

$$\frac{N(D_p)}{dD_p} = n_0 \exp(4.1 p_0^{-0.21} D_p)$$

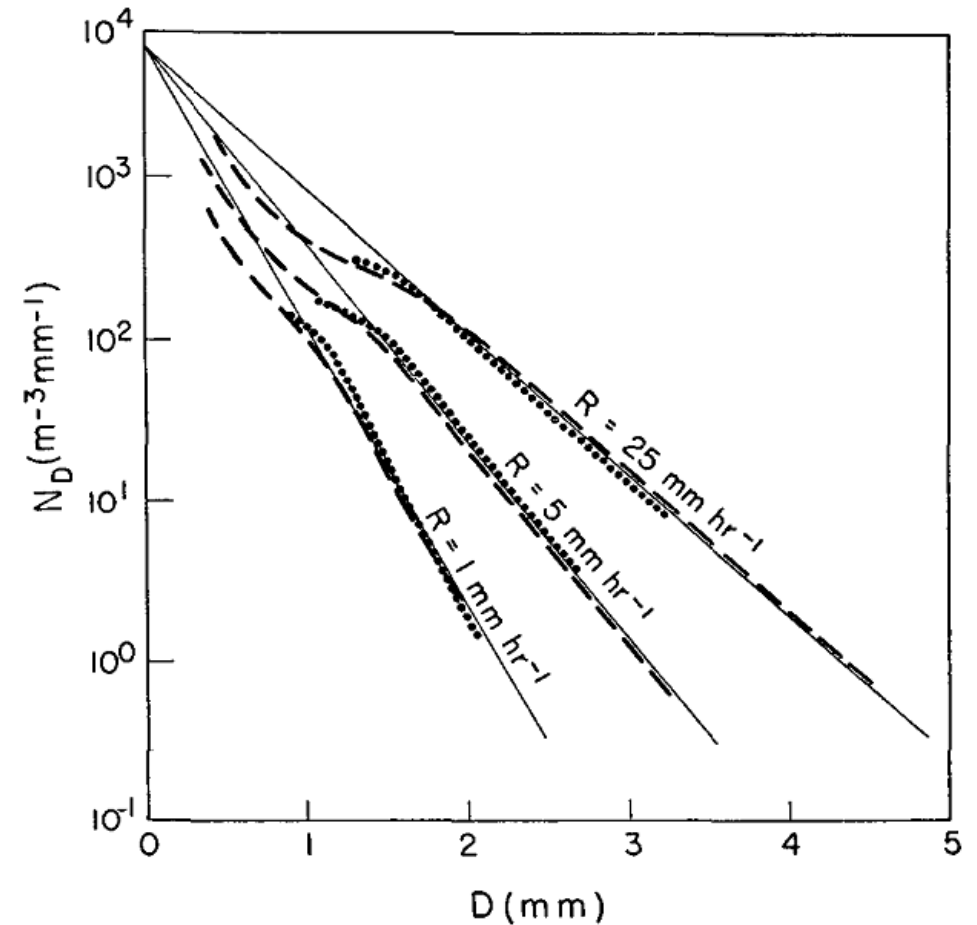
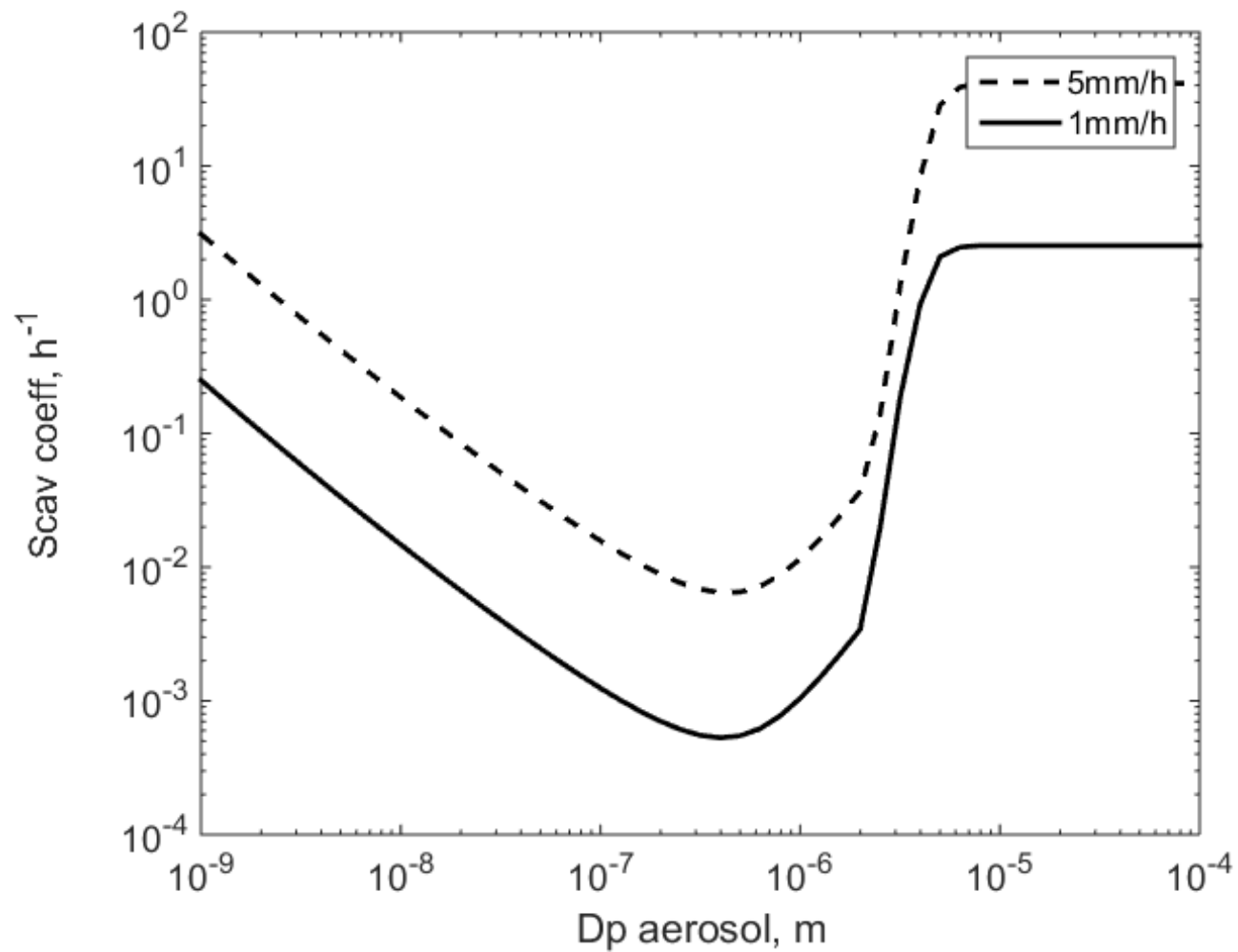
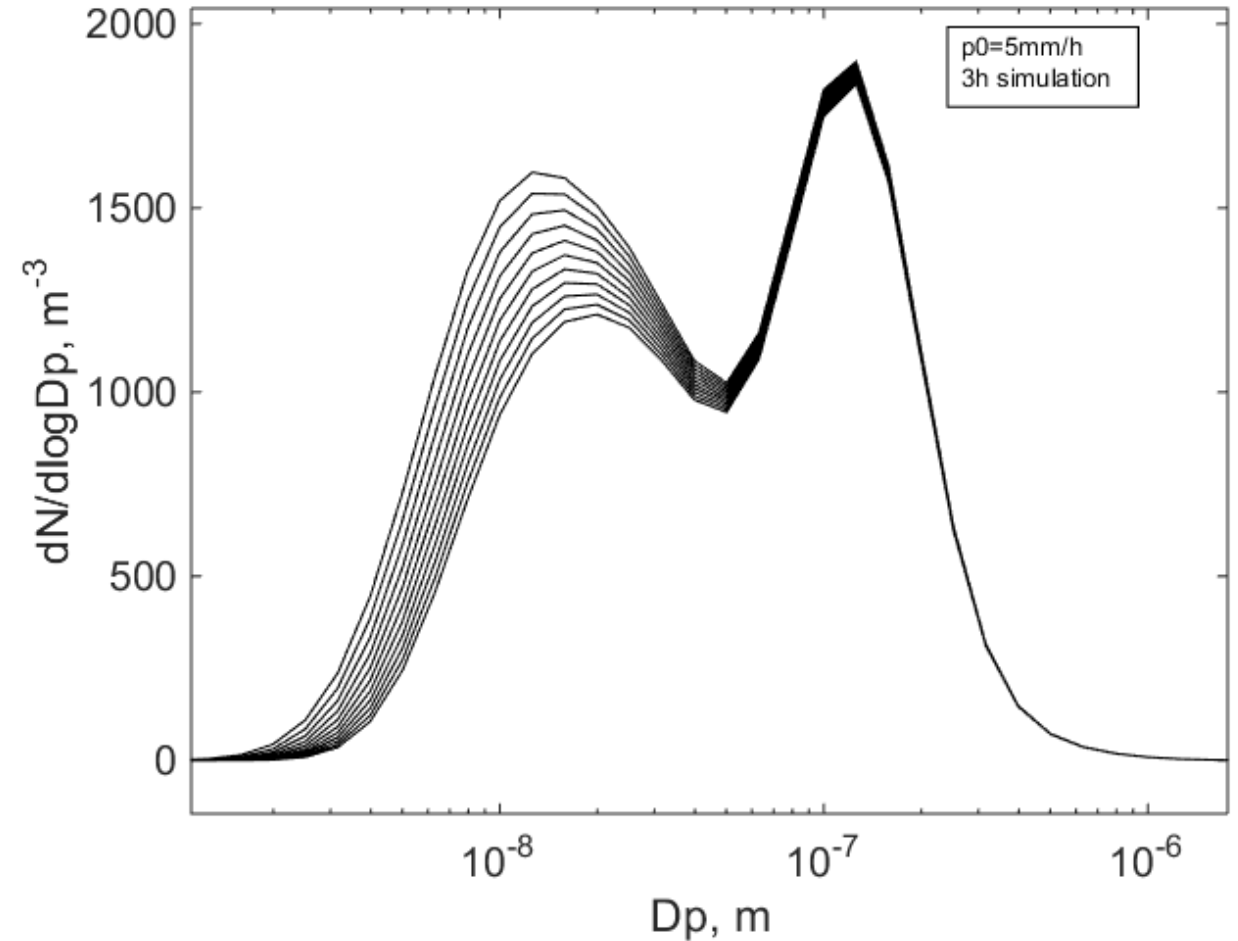
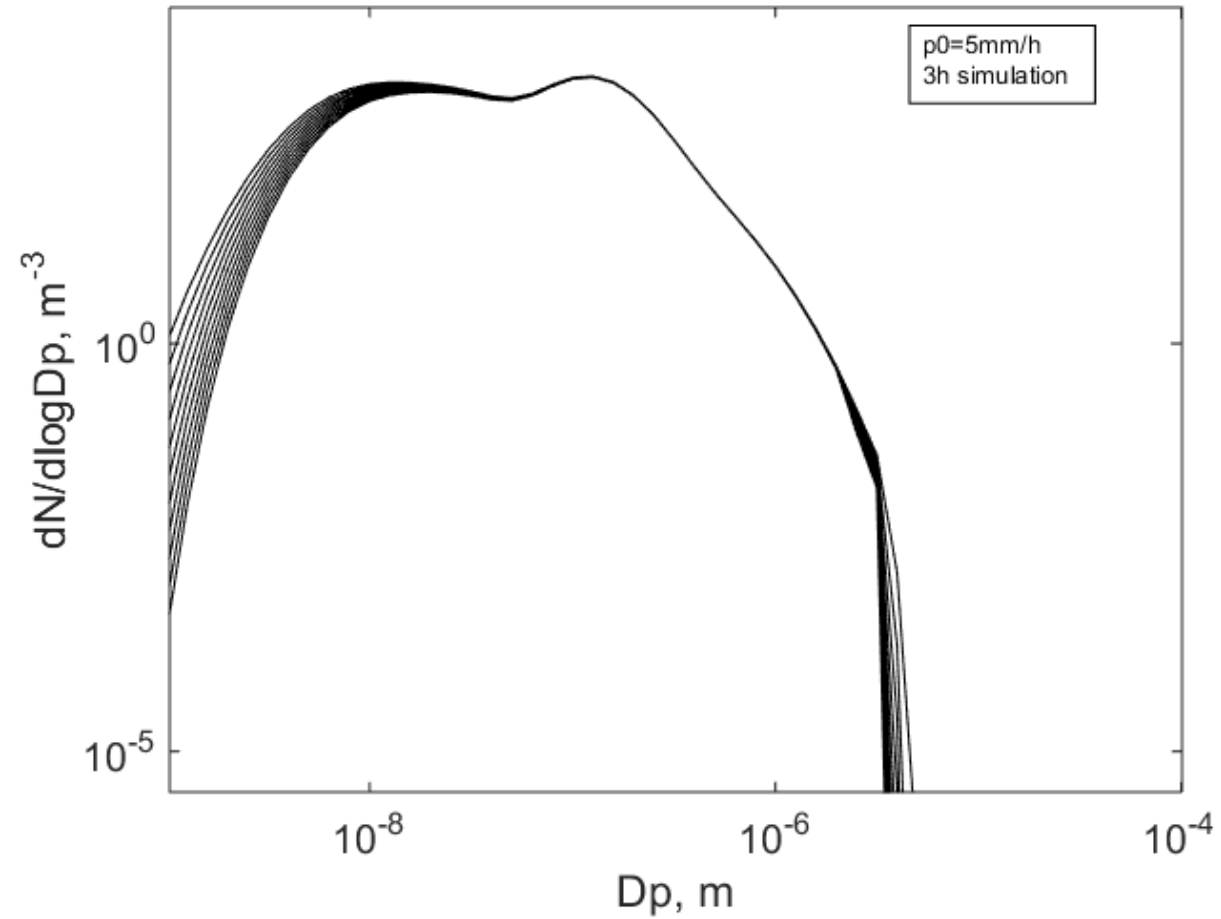


FIG. 2. Distribution function (solid straight lines) compared with results of Laws and Parsons (broken lines) and Ottawa observations (dotted lines).

# Scavenging coefficient, $\Lambda$



# Simulating below cloud scavenging





# Simple approach: Assuming constant, linear and irreversible scavenging

$$\frac{\partial C}{\partial t} = -W_{\text{gas}/\text{rain}} + E + R$$

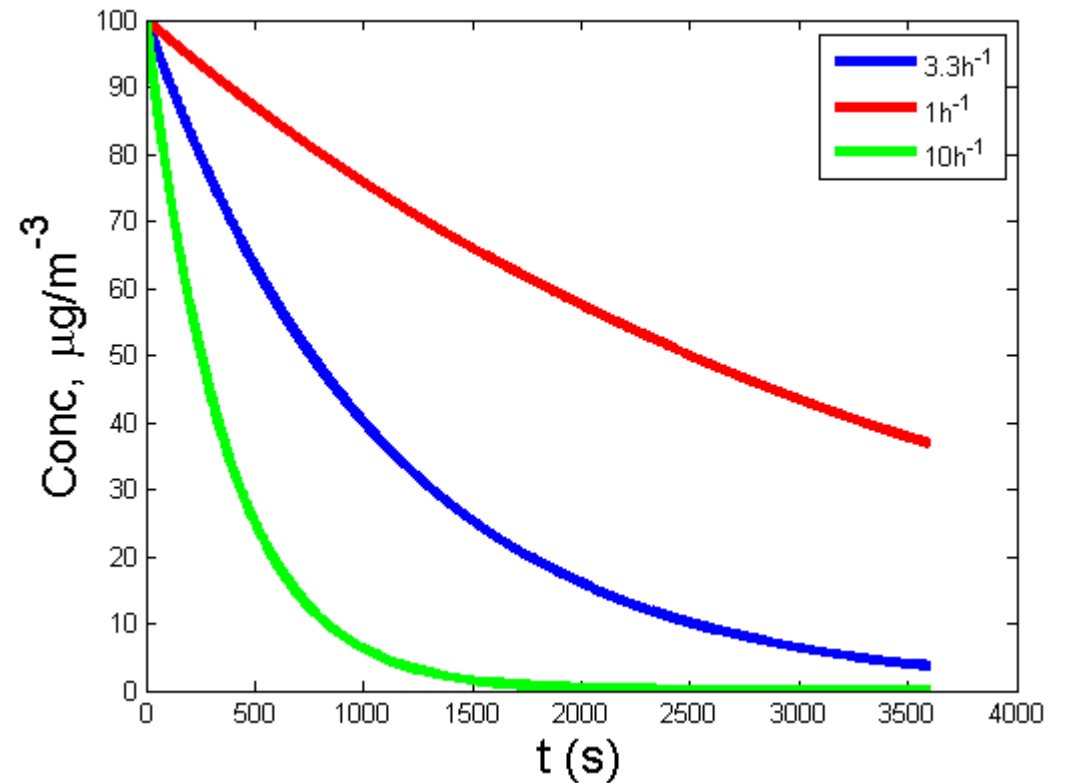
(where R and E are additional reactions and emissions, resp.)

Assuming no R or E, and as :

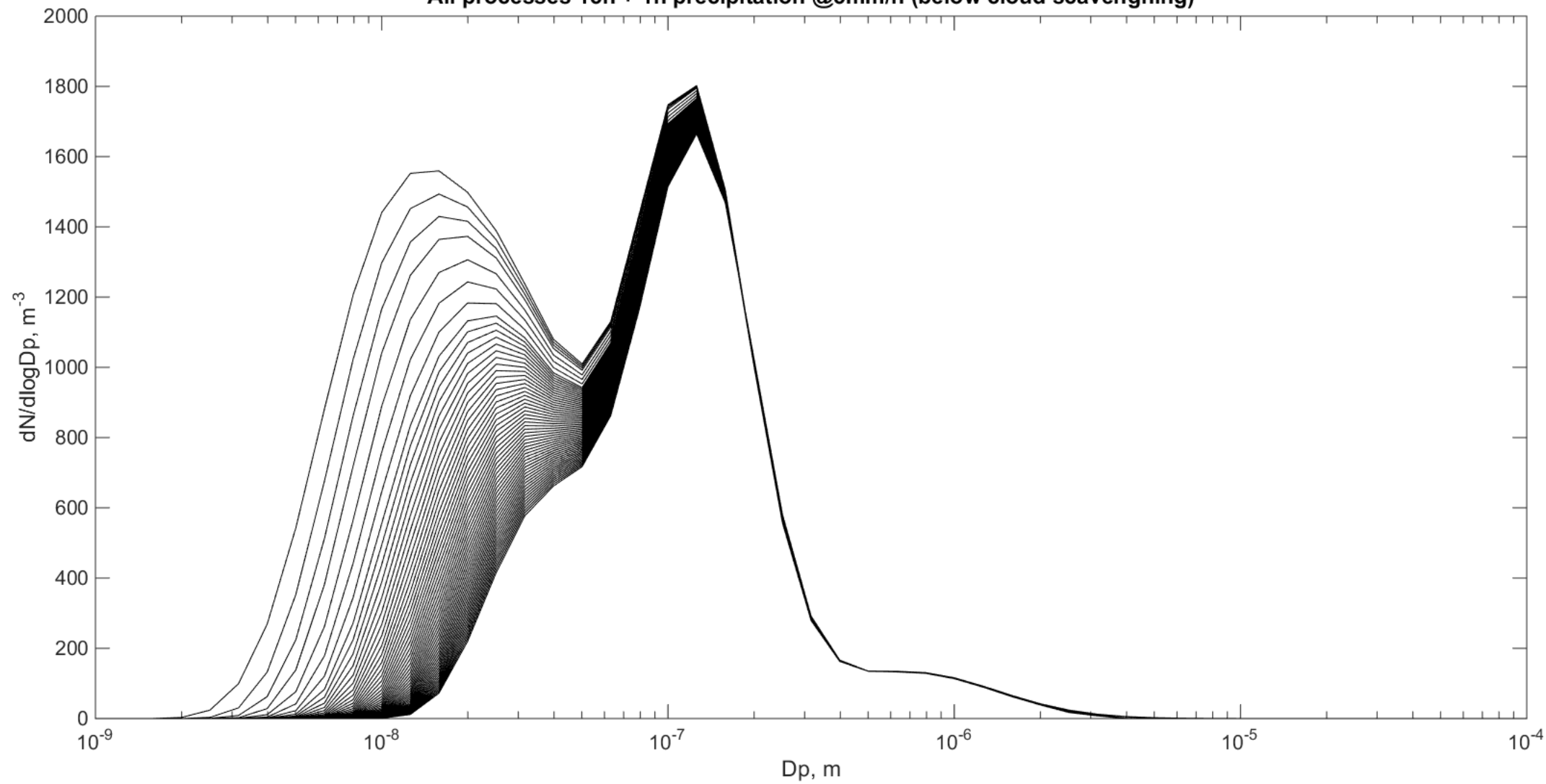
$$W_{\text{gas}/\text{rain}} = \Lambda_{i,\text{gas}} C_{i,\text{gas}} \text{ (e.g. } s^{-1} * \mu\text{g} / m^3 \text{)}$$

$$\frac{\partial C}{\partial t} = -\Lambda_{i,\text{gas}} C_{i,\text{gas}}$$

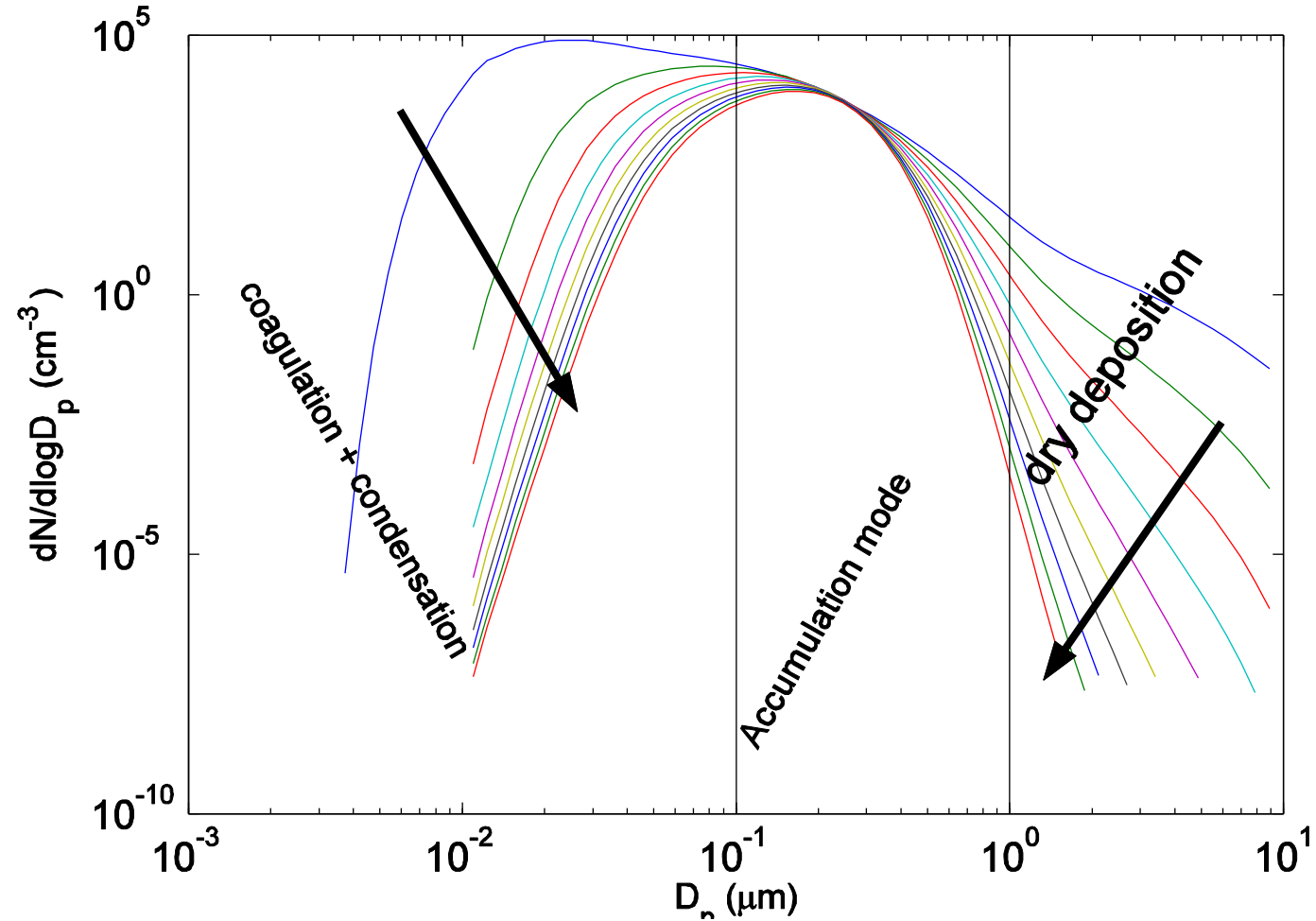
$$C = C_0 e^{-\Lambda_{i,\text{gas}} t}$$

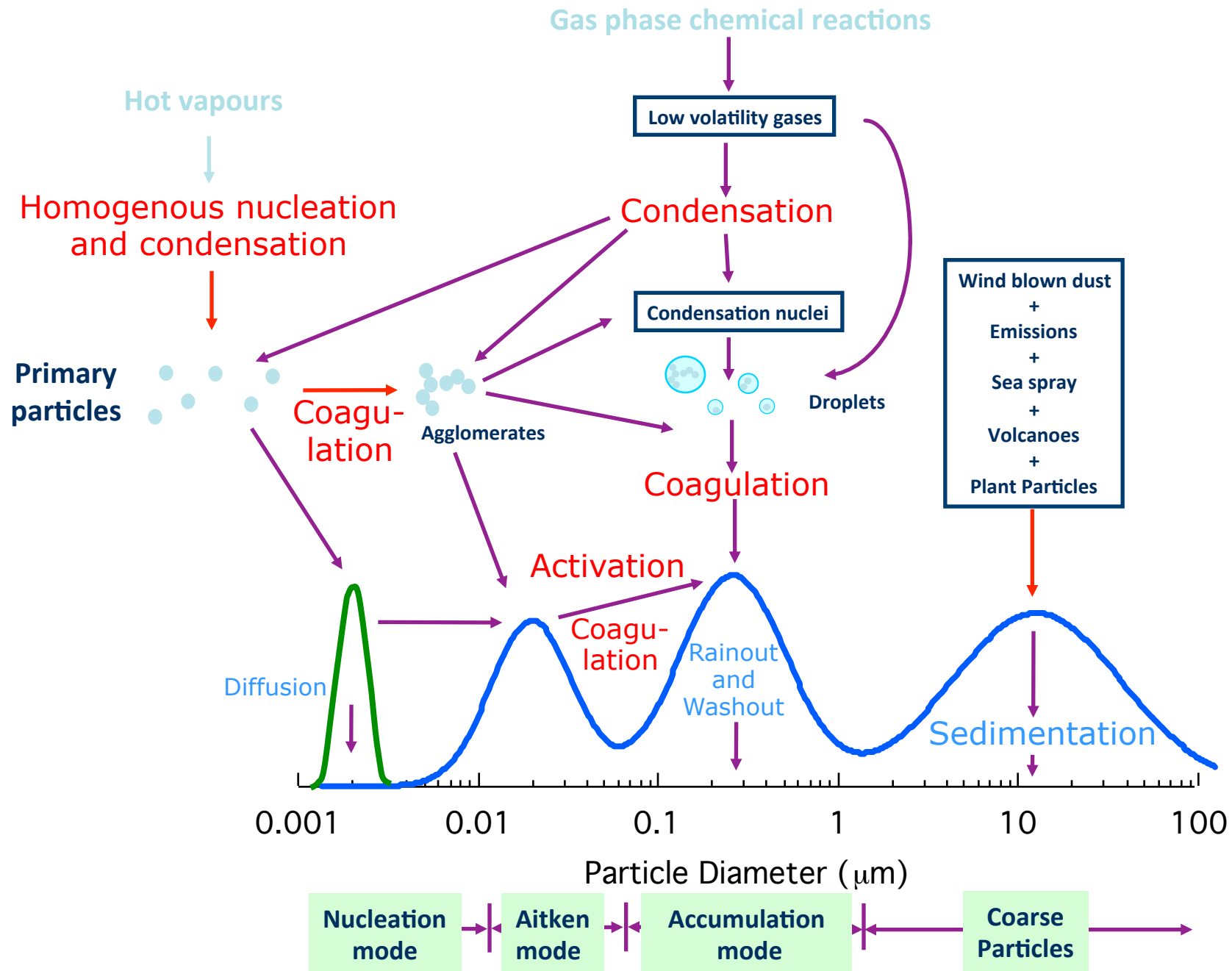


All processes 15h + 1h precipitation @5mm/h (below cloud scavenging)

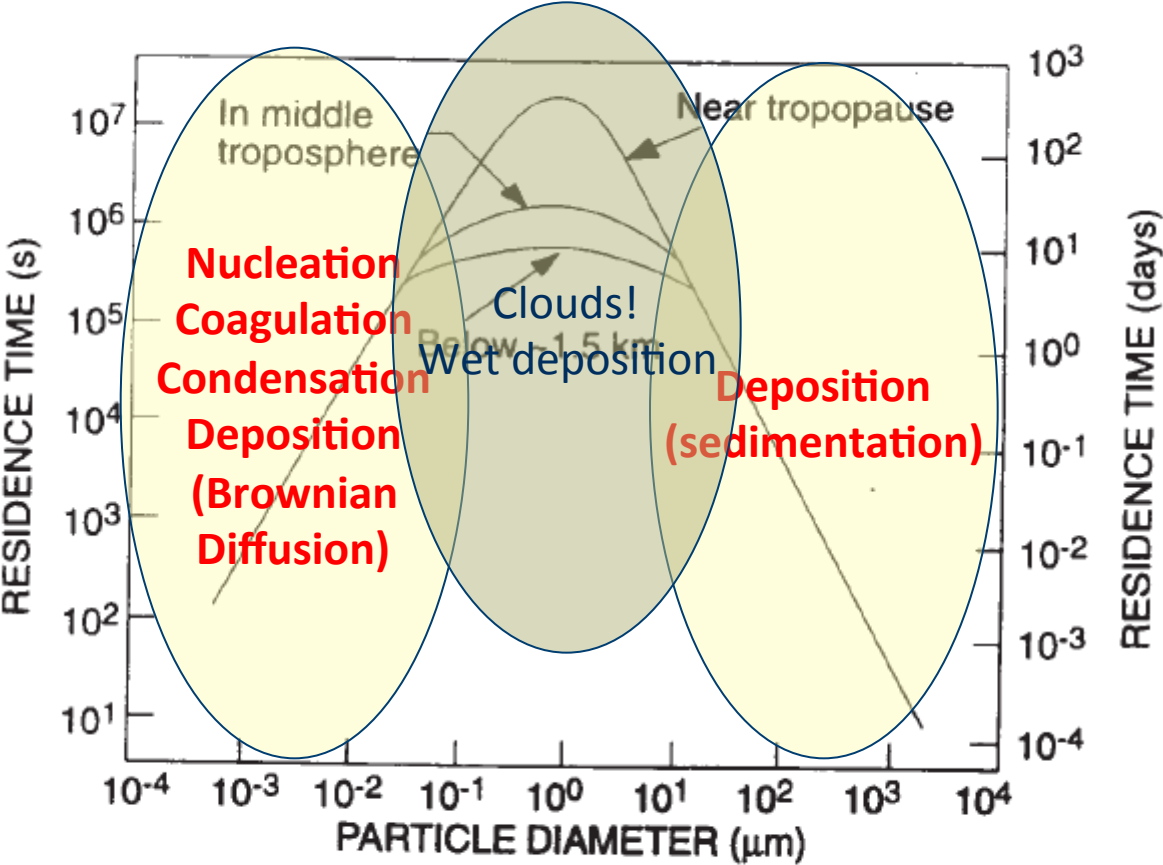


# Aerosol dynamics: coagulation, condensation and dry deposition

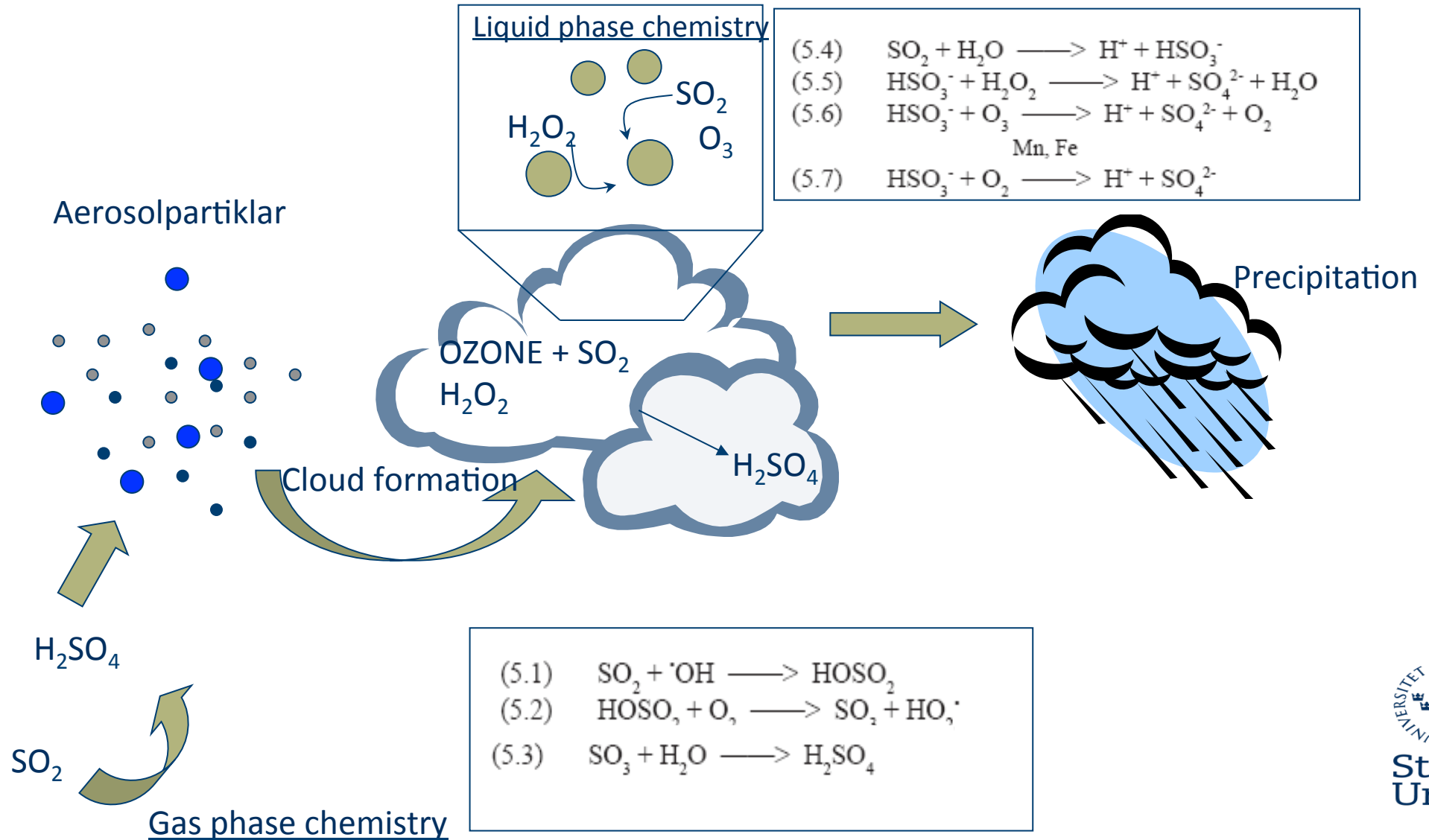




# Explaining the residence time



# Aerosol dynamics: Cloud processing



# What can be learnt from Lagrangian experiments: transport between Värriö and Pallas 2006-2008

